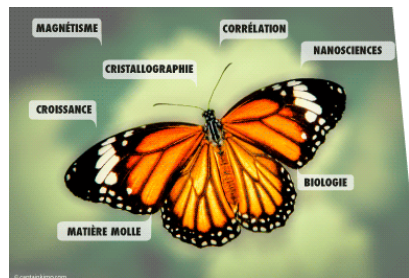


Nanostructures and symmetries, nano-objects

F. Tournus

“Magnetic Nanostructures” group

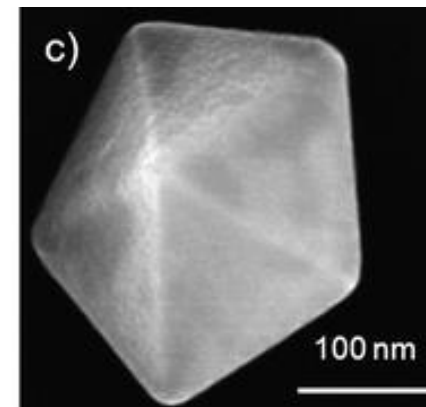
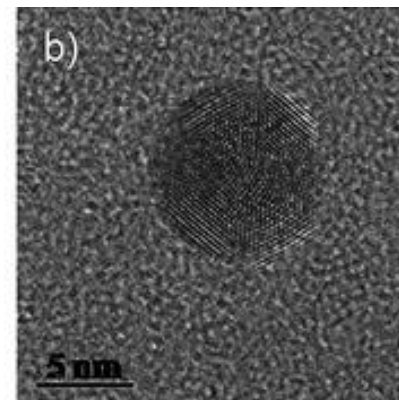
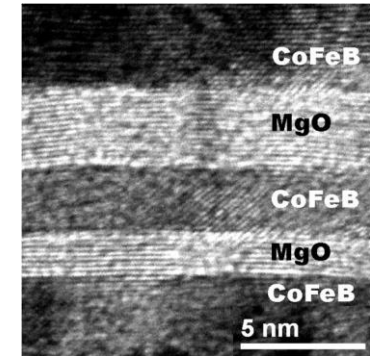
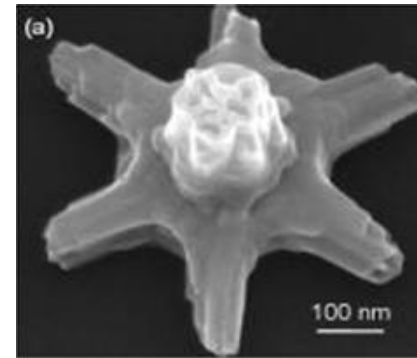
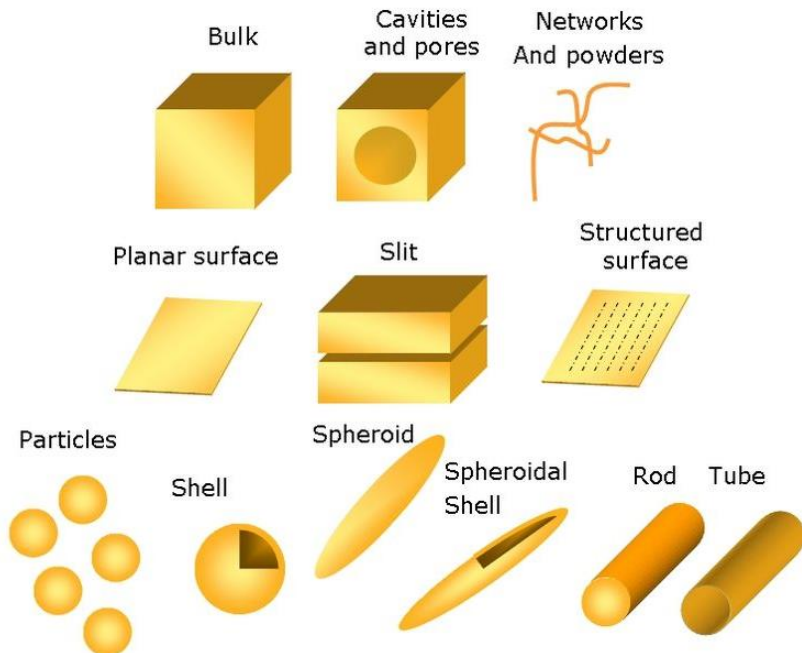
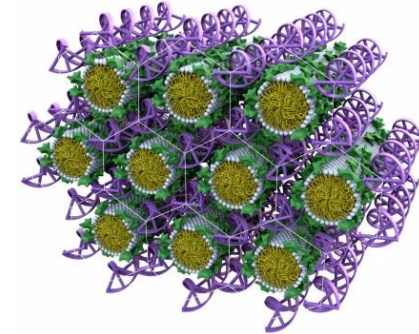
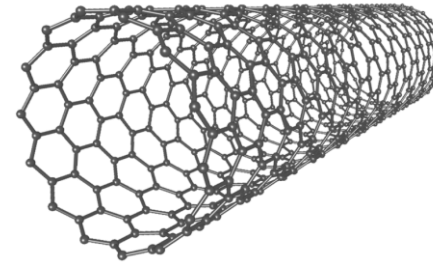
**Institut Lumière Matière,
UMR 5306 CNRS & Univ. Lyon 1**



Great variety of nanostructures

Nanometer dimension along
1, 2 or 3 directions

From molecular systems to “large” system
(hundreds of nanometers)



(My research = metallic nanoparticles)

Here, we will focus on “small” nano-objects, with a size below 10 nm

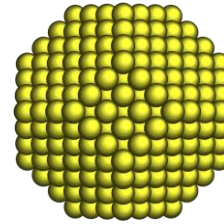
Major importance of the surface

→ Properties can differ from the bulk ones

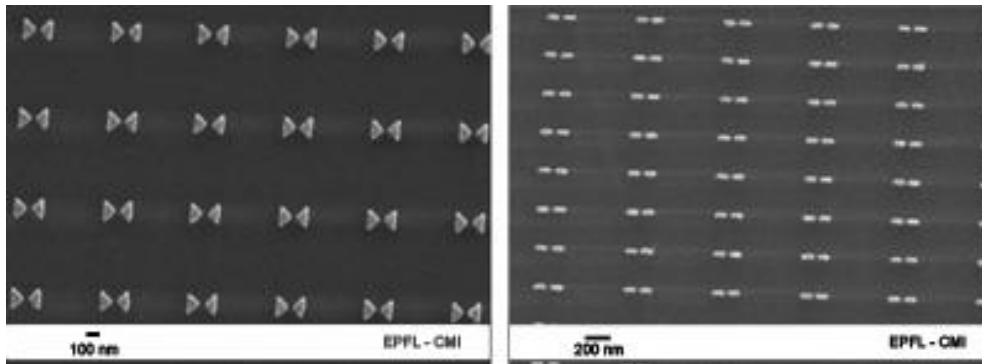
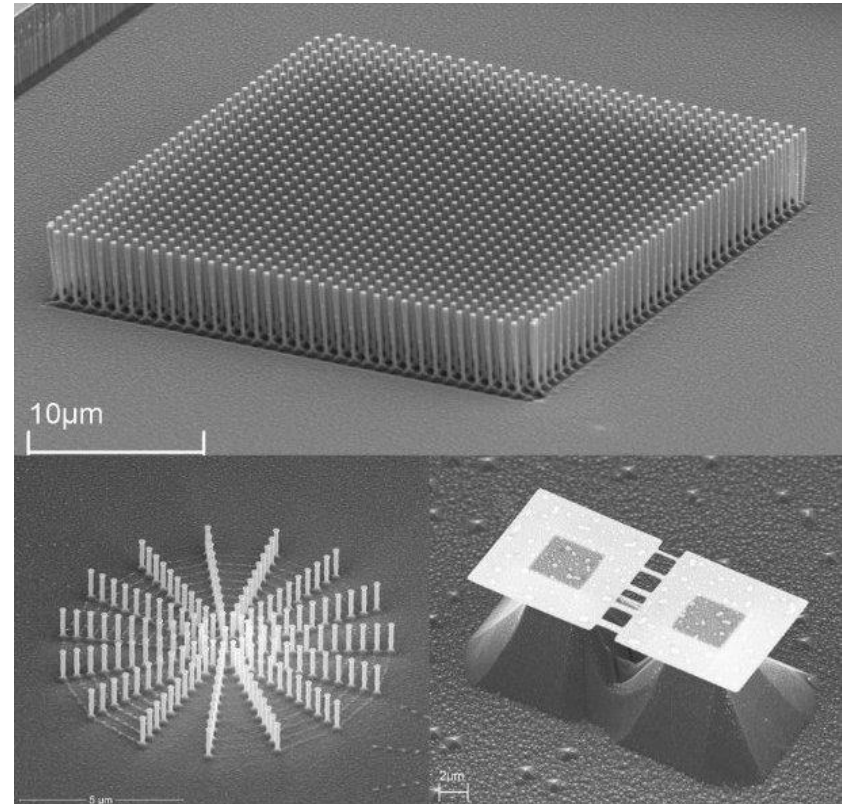
Restriction to **bottom-up elaboration**

Top-down elaboration (nano-fabrication)

→ Essentially like the bulk material, but systems with chosen shape and organization (symmetries)

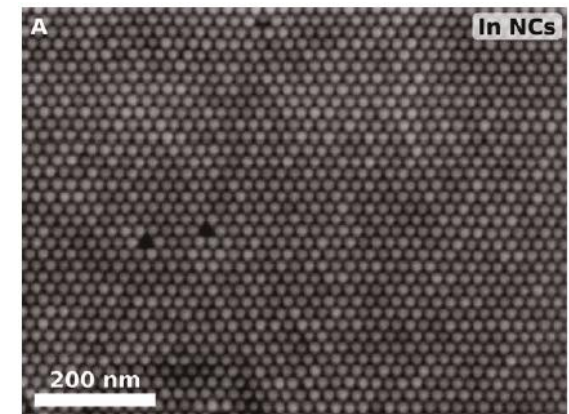
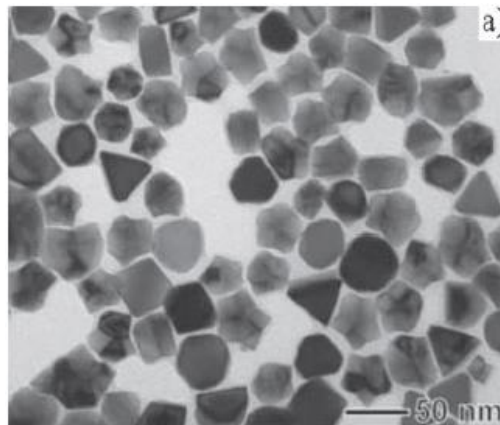
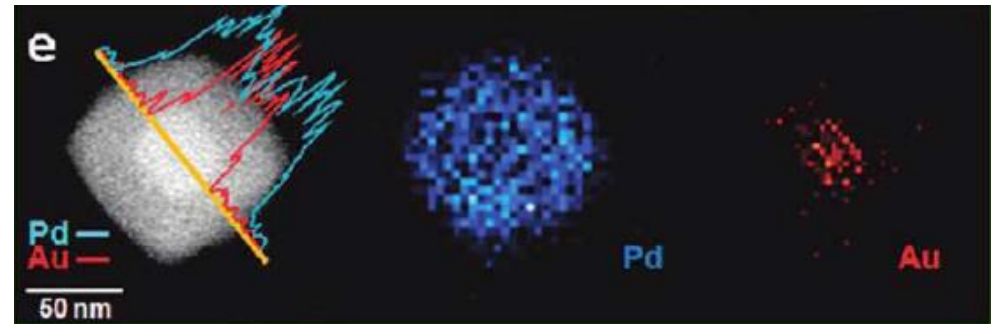
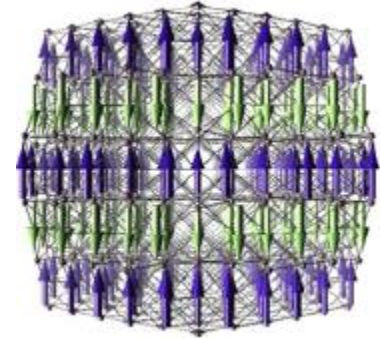
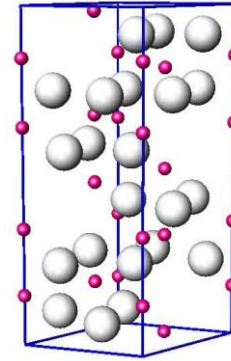
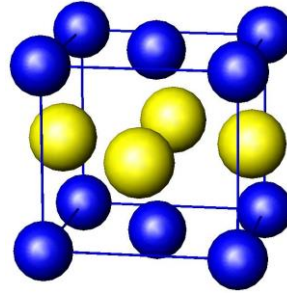


2.7 nm diameter cluster (586 atoms):
45% of the atoms on the surface



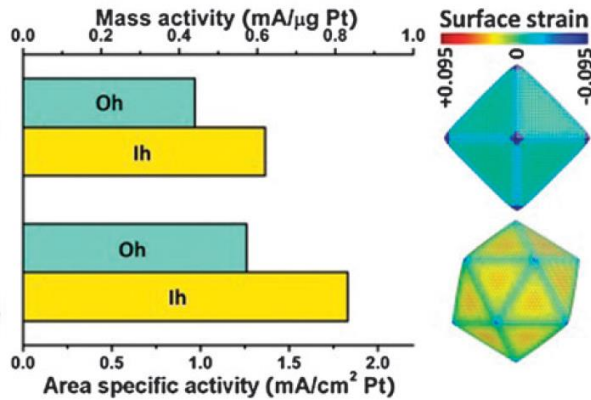
Several levels of symmetry for nano-objects

- ✓ Atomic structure, inside the objects (and chemical arrangement)
- ✓ Magnetic order
- ✓ Shape of the objects
- ✓ Organization of the objects (assembly)



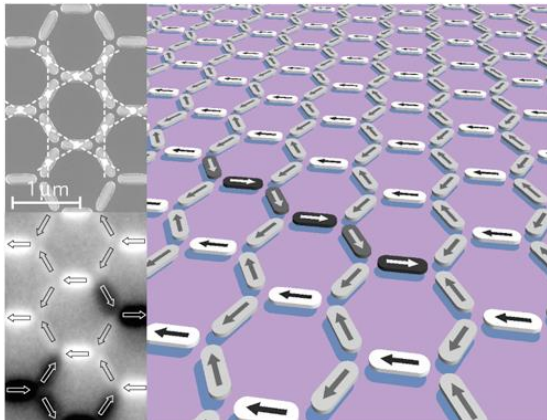
To control the properties \rightarrow The physical properties reflect the system symmetries

Strain induced enhancement of oxygen reduction for Pt₃Ni particles



J. Wu et al., Chem. Soc. Rev. **41**, 8066 (2012)

Artificial spin ice, with a kagome lattice of nanomagnets



E. Mengotti et al., Nature Physics **7**, 68 (2011)

We can expect specific features at nanoscale (for instance new phases...)

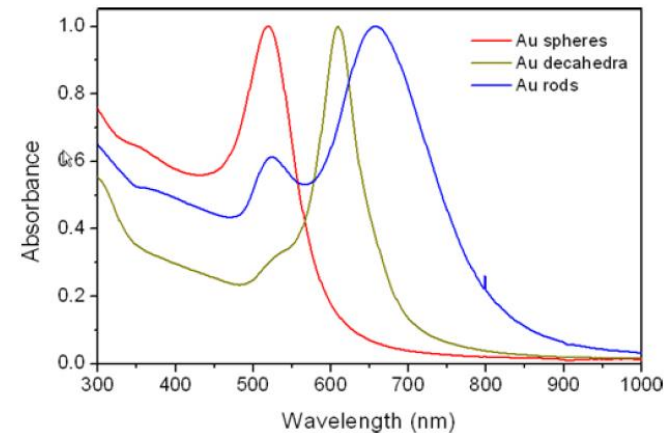
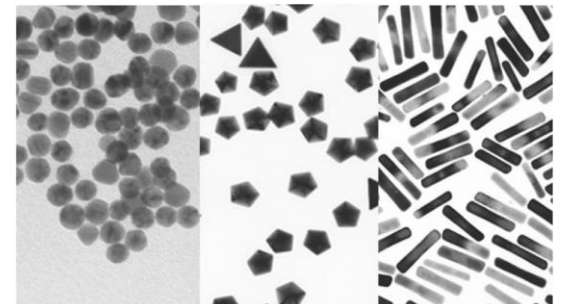
For applications in various domains:

- Optics
- Electronics and magnetism
- Catalysis

Model systems, to study interactions and collective behaviors...

\rightarrow Playground for physicists

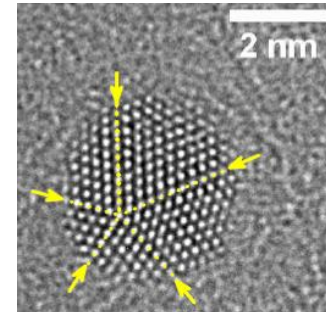
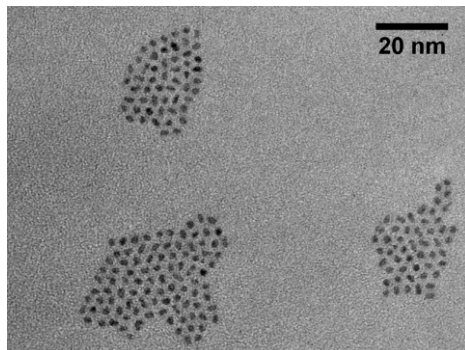
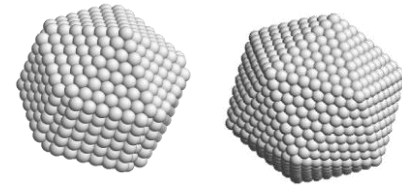
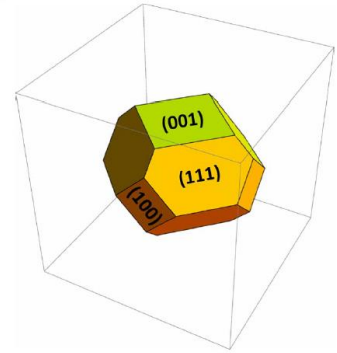
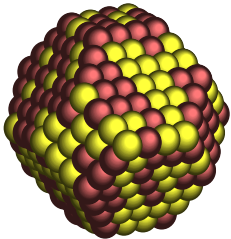
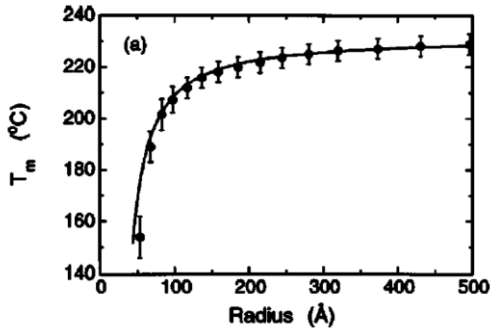
Influence of the morphology on the absorption (plasmon) of gold particles



L. M. Liz-Marzan, SPIE Newsroom (doi:10.1117/2.1200707.0798)

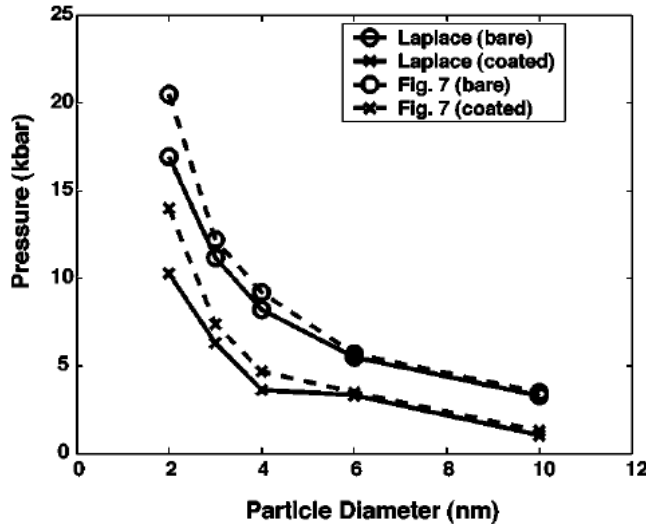
Some specificities of nanoparticles, related to symmetry

- ✓ Finite size and phase diagrams
- ✓ Shape of nanoparticles
 - ➔ Faceting and non-crystalline structures (with 5-fold symmetries)
- ✓ Bi-metallic particles, chemical arrangement
 - ➔ Example of CoPt and FePt particles
- ✓ Non-ideal symmetries, relaxation
- ✓ Magnetic order: one short example
- ✓ Self-organization of nanoparticles



Continuous description (not atomic)

Internal pressure for Si particles



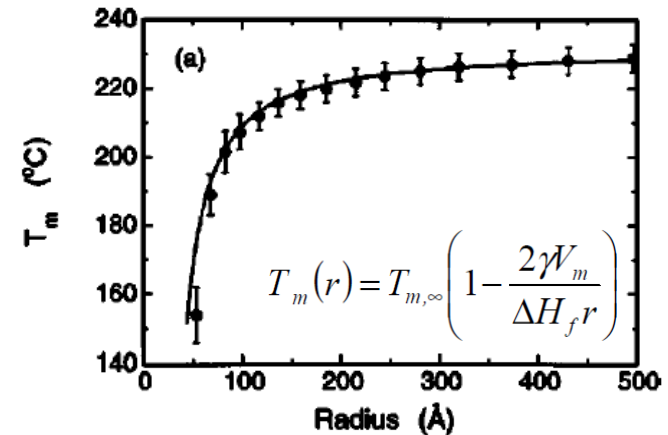
Surface energy term

$$\mu = \mu_{sphere} = \mu_{\infty} + \mu_{\Sigma} = \mu_{\infty} + \frac{2\gamma W_m}{r}$$

Variation of the internal pressure with the size

→ Strain, modification of inter-atomic distances

Decrease of melting temperature at small sizes



T. Hawa et al., J. Chem. Phys. **121**, 9043 (2004)

Influence of the size on phase transitions (solid-liquid or solid-solid)

→ Phase diagram modification

The stable phase, and hence **the symmetry, will depend on the size!**

FIG. 26. Comparison of theoretical and experimental melting points of supported tin clusters: ●, experiment; solid line, the fitting by means of Eq. (42). From Lai *et al.*, 1996.

Ex.: For a given pressure, the stable phase vary with the nanoparticle size

Modification of the transition pressure due to finite size

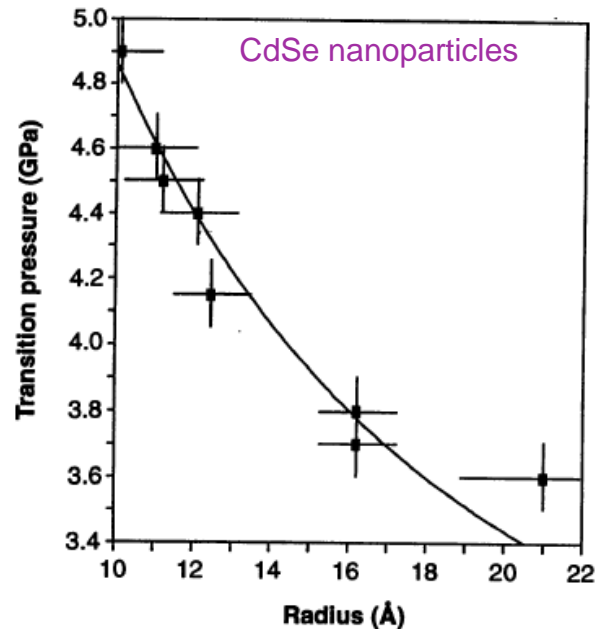
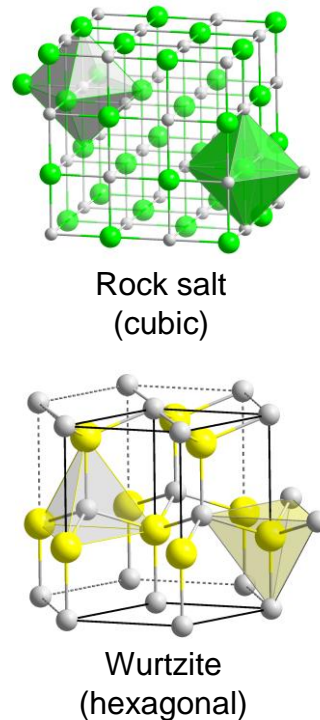


Fig. 4. Wurtzite-to-rock salt transformation pressure as a function of nanocrystal radius.

S. H. Tolbert et al., Science **265**, 373 (1994)



Difference of surface energy
=> pressure shift of the transition

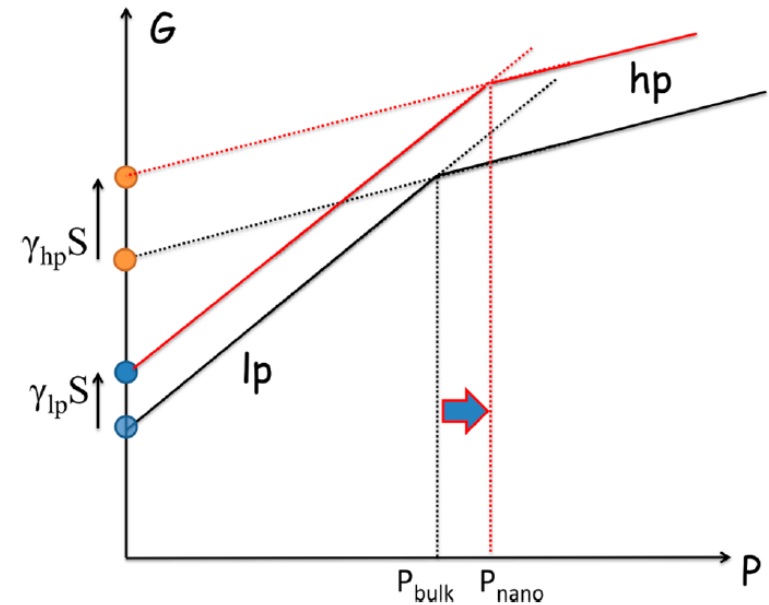


Figure 1. Effect of the surface energies on the phase stability. The pressure of the phase transition in bulk material is given by the cross over between the Gibbs energy function for each phase. In the case of nanoparticles, this Gibbs energy must be corrected by a surface-related term ($\gamma_i S$) for each phase i (lp for low-pressure and hp for high-pressure phases, respectively). Usually, the surface tension is higher in the high-pressure phase than in the low-pressure one. This leads to a predicted shift of the transition pressure to higher value.

D. Machon et al., Nano Lett. **14**, 269 (2014)

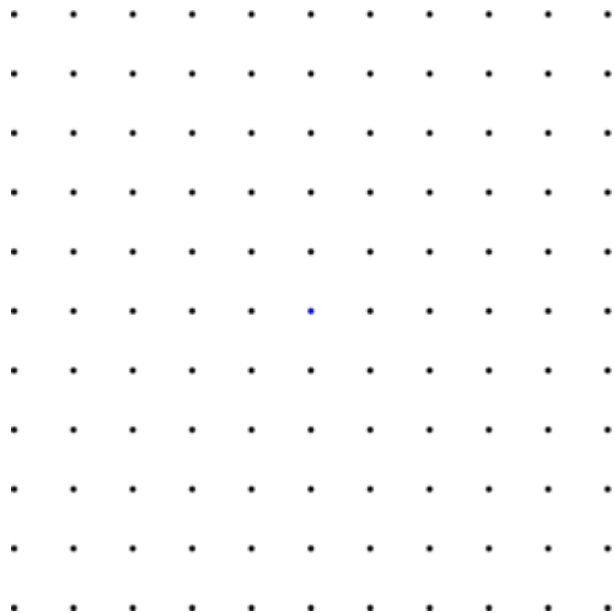
Atomic description of the surface

Crystal = periodic arrangement of the atoms

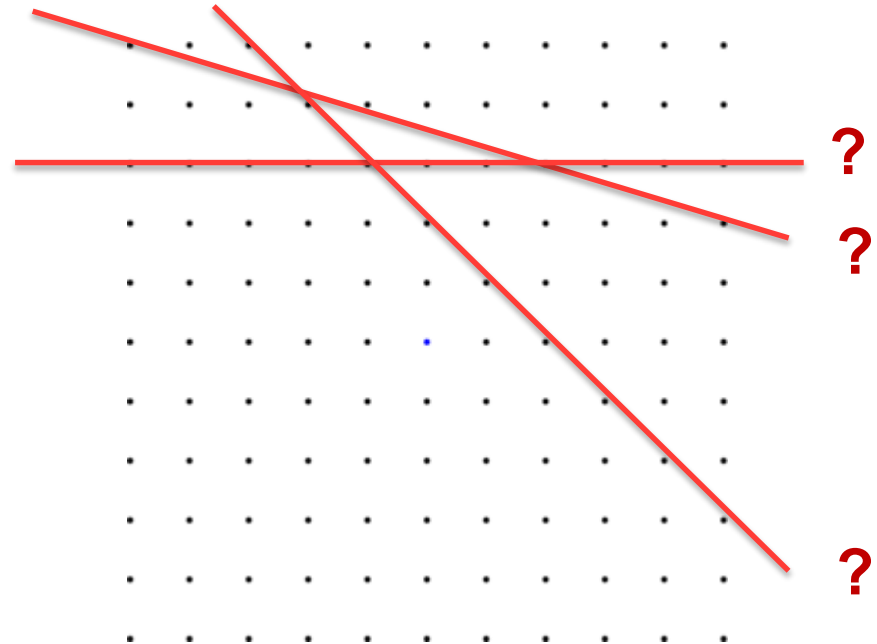
Translation symmetry, only if the crystal is infinite

➡ Finite size breaks the translation symmetry!

How can we cut a crystal?

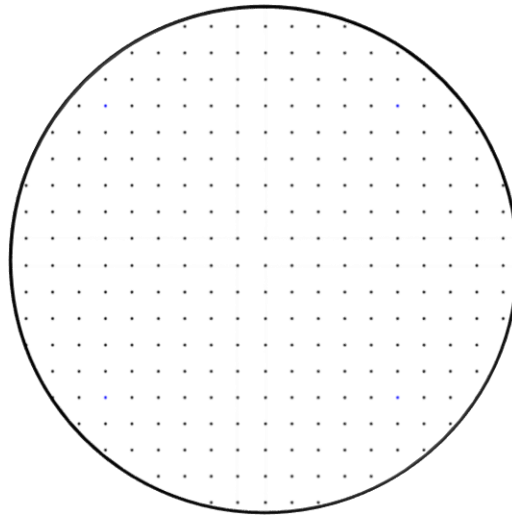
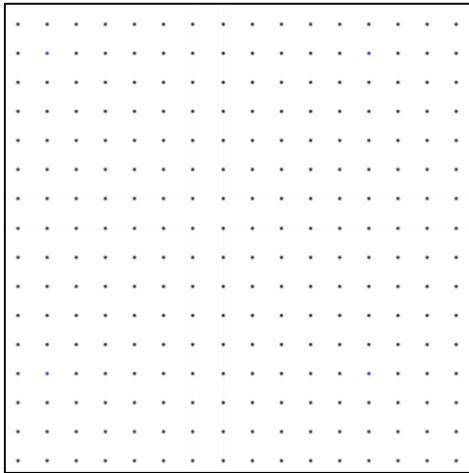


Creating a surface has an energy cost...



Finite size and crystal truncation

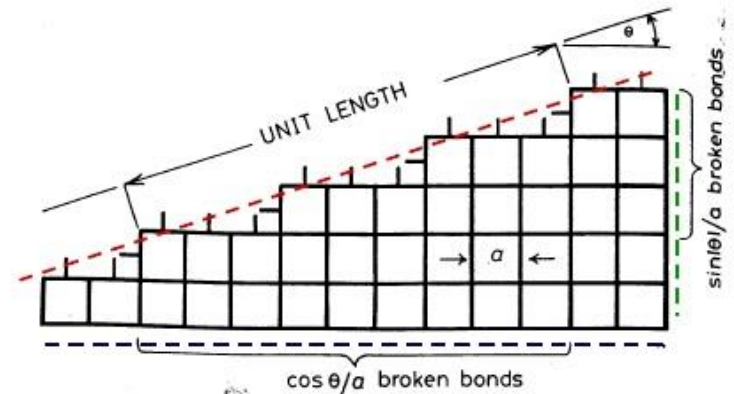
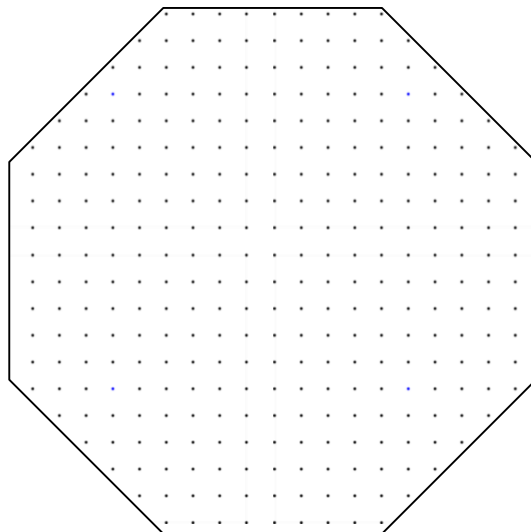
For a continuous description (as a liquid), the spherical shape minimizes the surface energy



Simple model: evaluation of the surface energy with the number of broken bonds

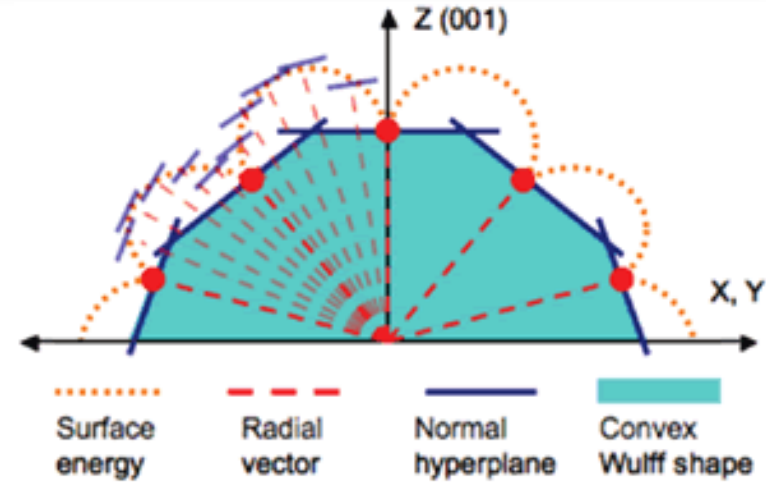
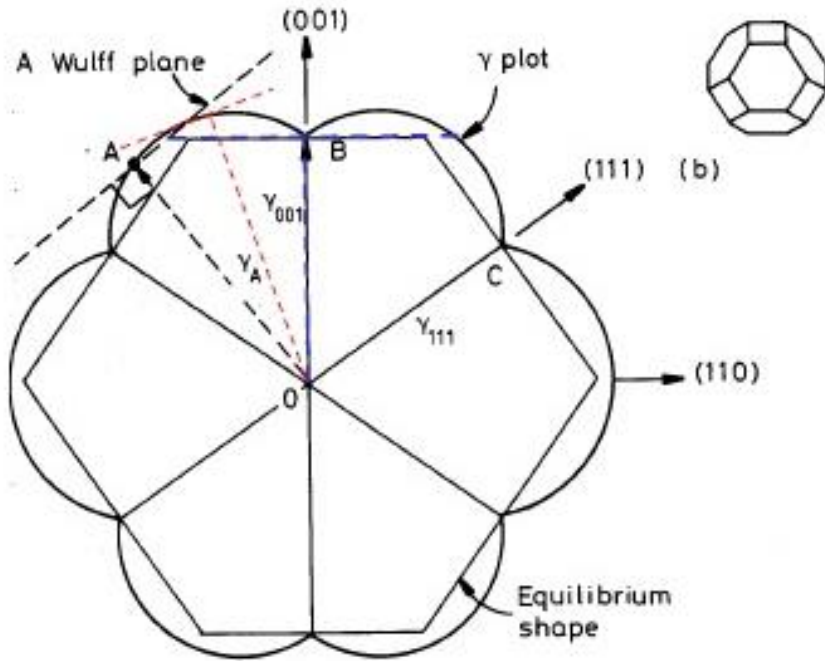
$$E_{\text{surf}} = (\cos\theta + \sin\theta)\epsilon_b / (2a^2)$$

Best choice for a crystal?



➔ The energy of a facet depends on its angle with respect to the crystallographic directions

Wulff construction

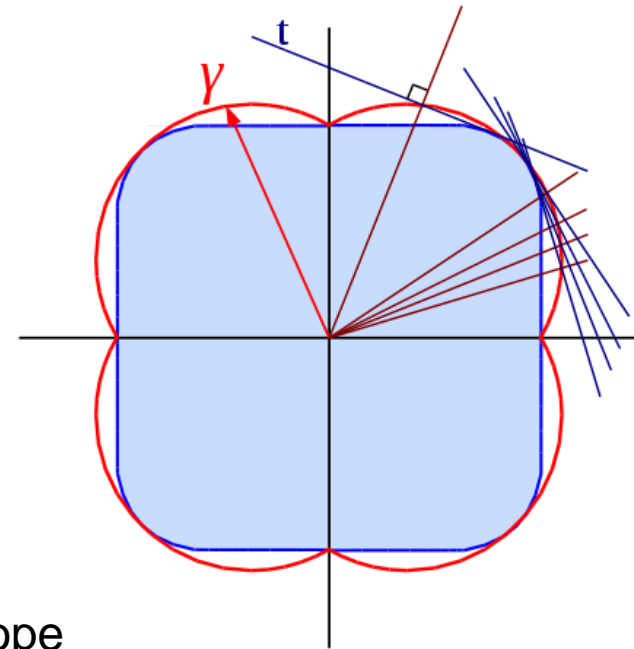


h_j = distance from the center of the particle to a facet j
 γ_j = surface energy of a facet j

Minimizing the energy (with a fixed volume)
 corresponds to: h_j proportional to γ_j .

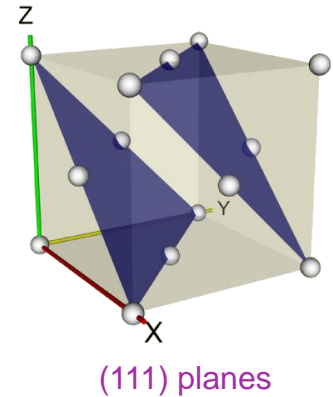
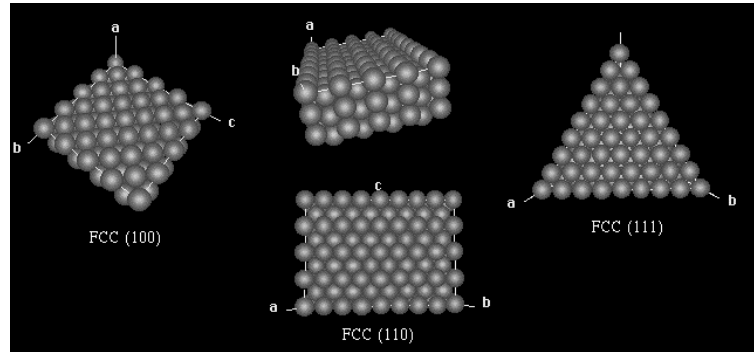
Construction using a polar plot of the surface energy $\gamma(\theta)$

➡ The equilibrium shape is given by the convex envelope



The surface ratio between (100) and (111) facets depends on $\gamma_{111}/\gamma_{100}$

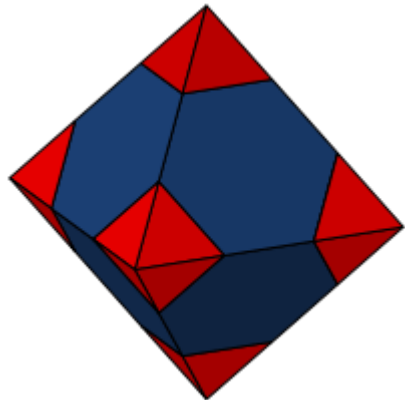
(111) surface is more compact
 → Lowest surface tension



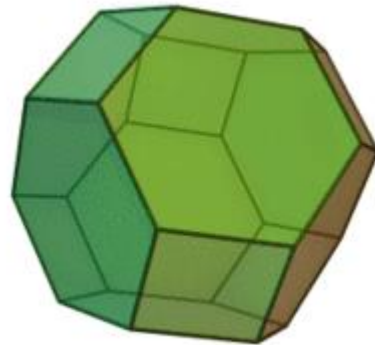
With only (111) facets: octahedron, where the surface/volume ratio is too large (too far from a spherical shape)



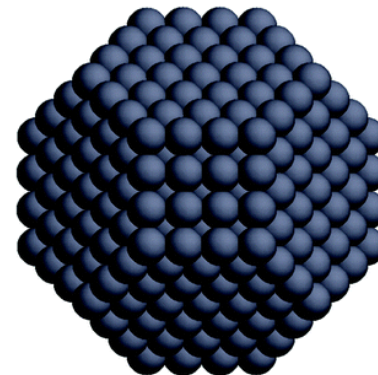
A compromise has to be found (Wulff construction)



Octahedron



Truncated-octahedron



Truncated-octahedron

(Non-favorable)

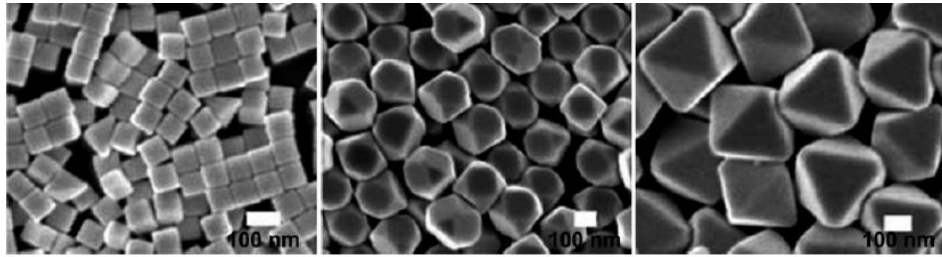


cuboctahedron

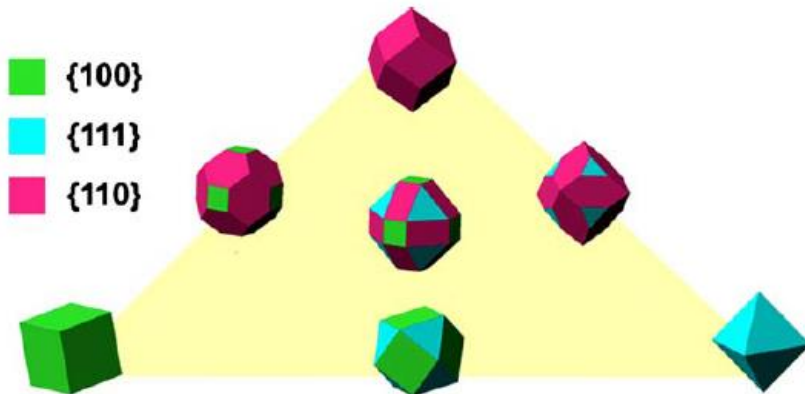
Wulff construction gives the **equilibrium shape**

→ Thermodynamic equilibrium not granted

The morphology of a crystal can be influenced by kinetic factors



Ag nanoparticles



W. Niu et al., Nano Today 6, 265 (2011)

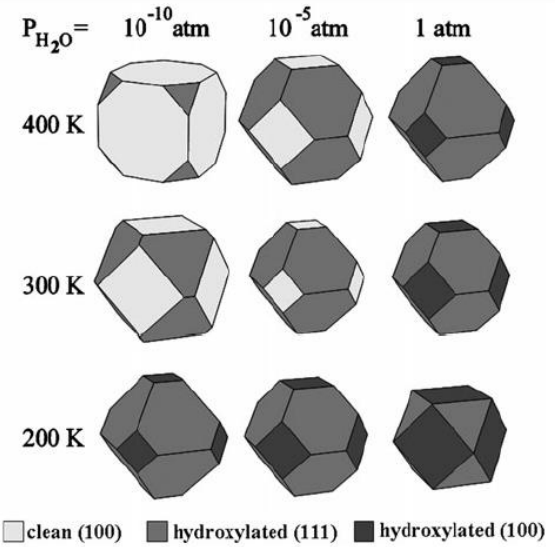


Fig. 4 Wulff equilibrium shapes of MgO crystallites as a function of the temperature and pressure. Light grey: clean MgO(100) facets, medium grey: hydroxylated MgO(111) facets, dark grey: hydroxylated MgO(100) facets. Only the three low-index surfaces were taken into account in the Wulff construction.

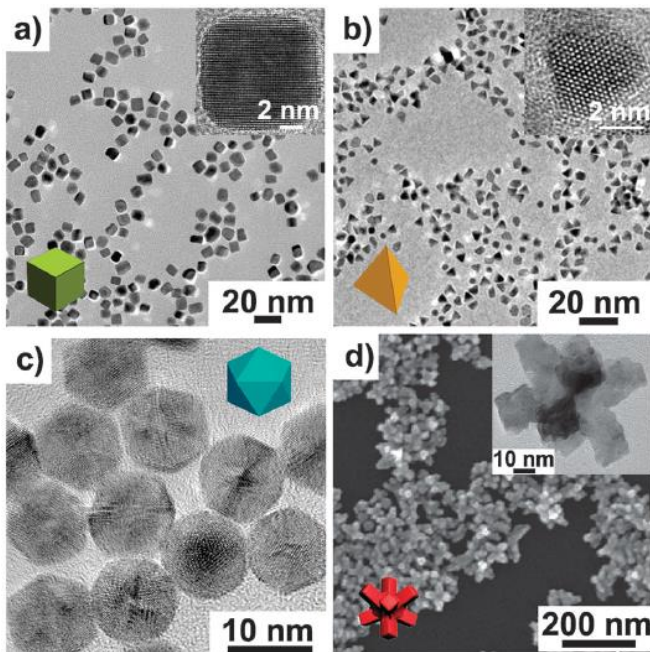
P. Geysers et al., Phys. Chem. Chem. Phys. 11, 2228 (2009)







A control is also possible through the nanoparticles environment

→ For a given material, a variety of shapes can in fact be obtained

With chemical syntheses, there are a lot of possibilities to control the nanoparticle symmetry

Pt-Pd particles



Cube		Continuous growth	Capping agents strongly bind on {100} facets
Tetrahedron		Continuous growth	Capping agents strongly bind on {111} facets
Octahedron		Continuous growth	Capping agents strongly bind on {111} facets
Icosahedron		Continuous growth	Slow reduction rate; capping agents strongly bind on {111} facets
Rod		Continuous growth	Surfactant-formed templates
Multi-pod		Continuous growth	Facet-specific oxidative etching

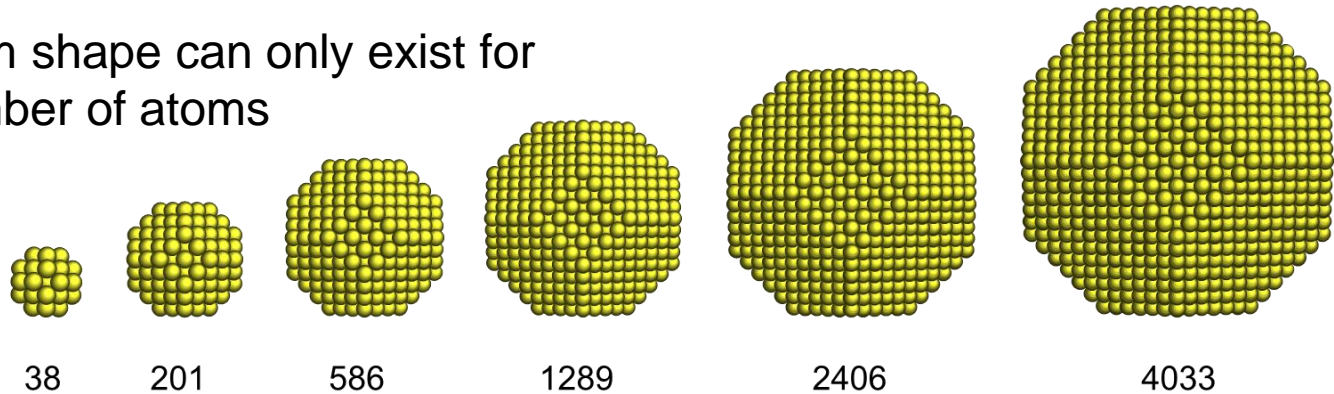
The Wulff construction is somehow limited

- ➡ ✓ The surface energies must be known (they can vary with the size...)
- ✓ There is also a contribution from the edges: $E_{\text{Tot}} = E_{\text{Bulk}} + E_{\text{Surf}} + E_{\text{Edge}}$
- ✓ The bulk crystal structure is assumed (while we can have relaxations or non-crystalline structures)

The nanoparticle morphology reflects the crystal symmetry
but...

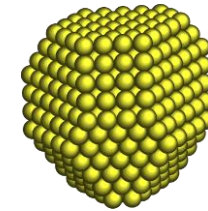
- ✓ The Wulff equilibrium shape can only exist for some particular number of atoms

Regular truncated octahedra
(Oh symmetry)

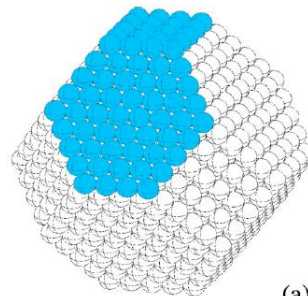


For other numbers of atoms, there will be additional facets or incomplete facets

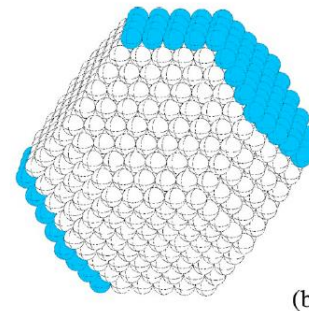
➡ The symmetry is then lowered



Ex.: Major influence of additional facets on the magnetic anisotropy of Co clusters



$$K_{\text{ani}} = 160 \text{ kJ/m}^3$$



$$K_{\text{ani}} = 300 \text{ kJ/m}^3$$

$K_{\text{ani}} = 0 \text{ kJ/m}^3$ for a regular cluster (Oh)

M. Jamet et al.,
Phys. Rev. B **69**,
024401 (2004)

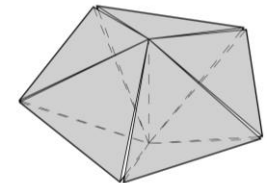
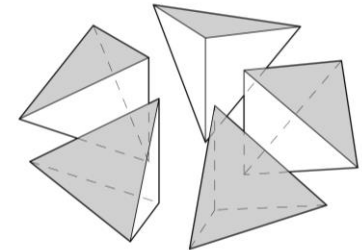
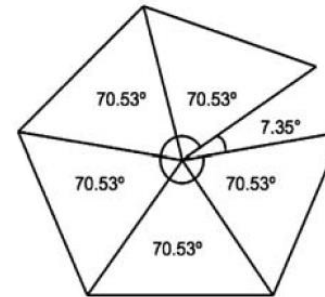
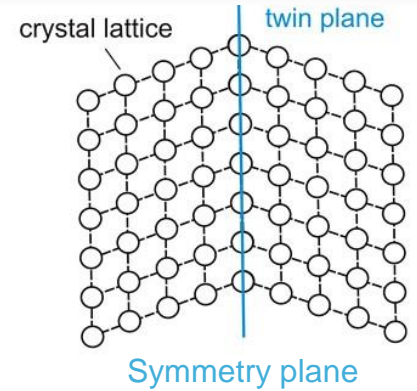
Multiply-twinned particles

→ Particles are constructed by joining tetrahedra of fcc crystals, forming twins

The idea is to have only (111) facets, which is favorable for the surface energy

A **decahedron** (pentagonal dipyramid) or an **icosahedron** can be formed

→ 5-fold symmetry

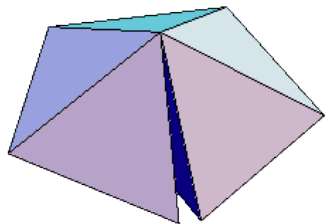


When joining the crystal pieces, there remains a small gap

→ Deformation to “close” the structure: they are non-crystalline

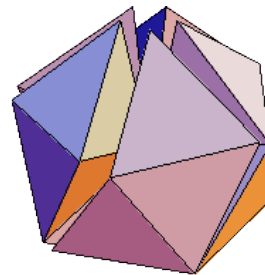
Low surface energy, but large strain energy

(a)

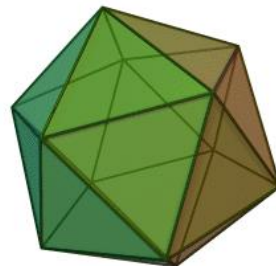
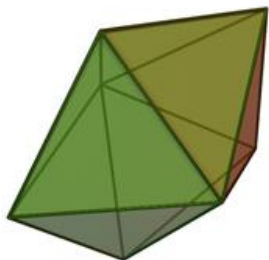


Dh

(b)

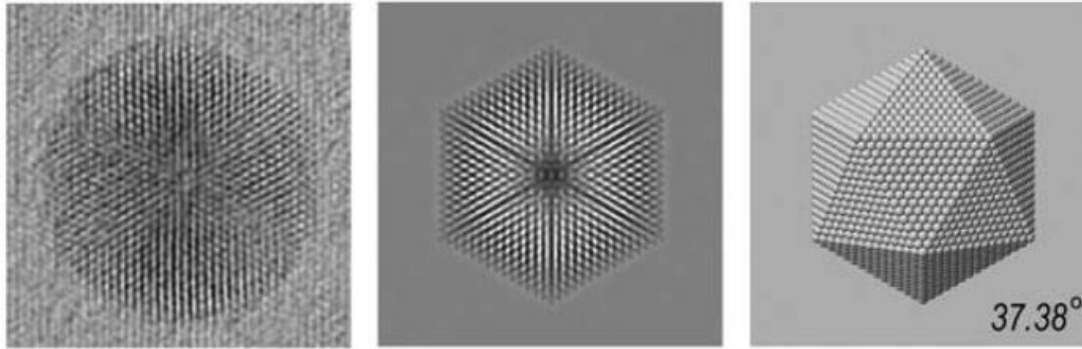


Ih

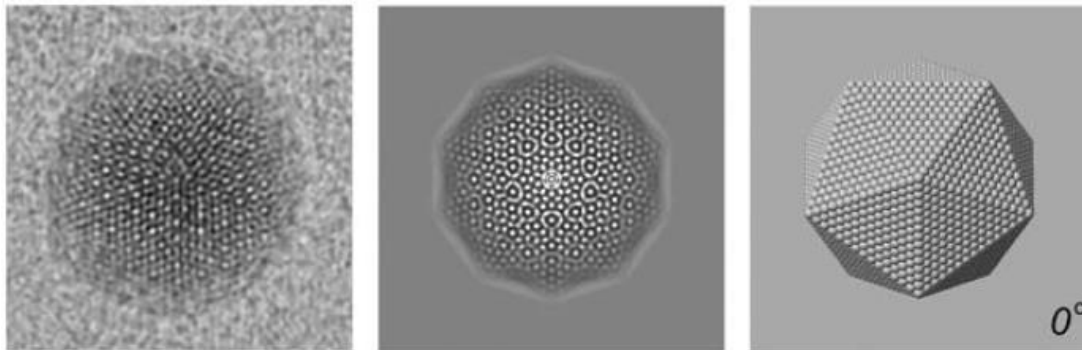
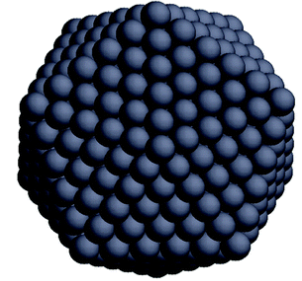


Identification of icosahedral particles with HRTEM

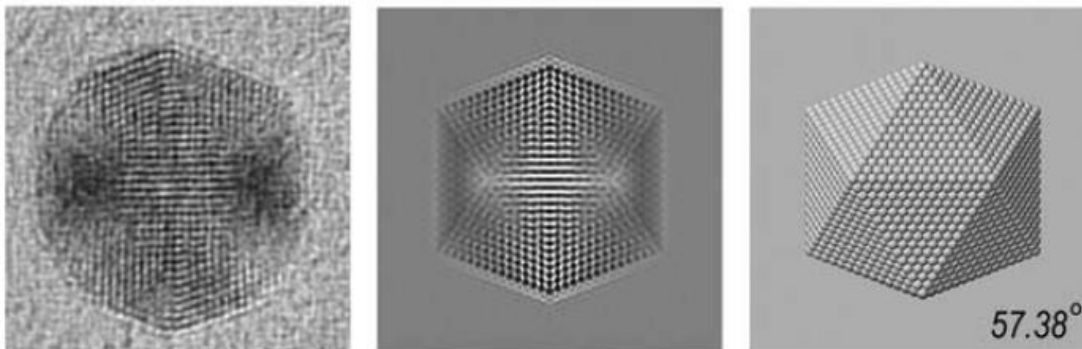
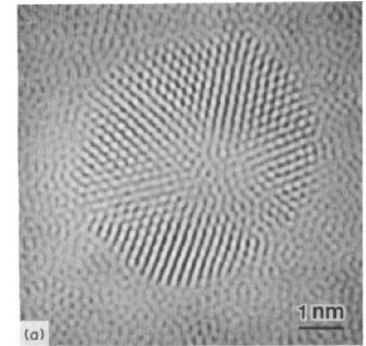
Au particles



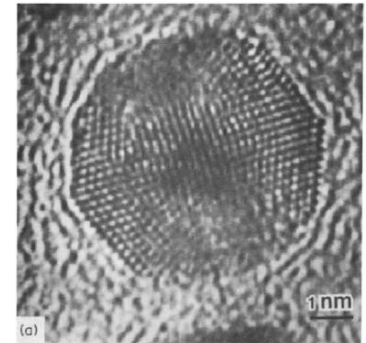
3-fold



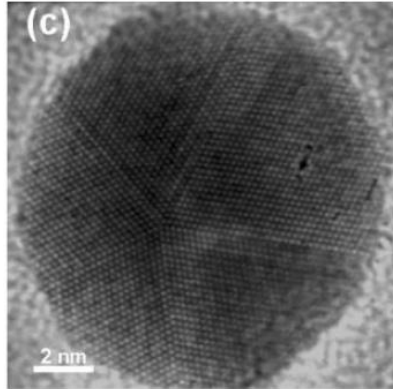
5-fold



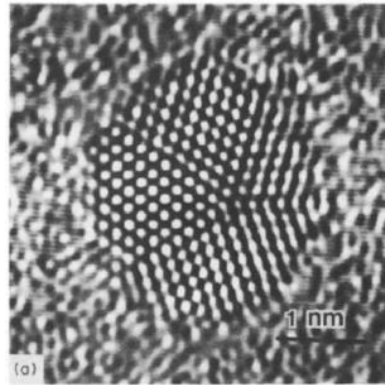
2-fold



Decahedra are also easily observed with HRTEM



J. L. Elechiguerra et al., J. Mater. Chem. **16**, 3906 (2006)



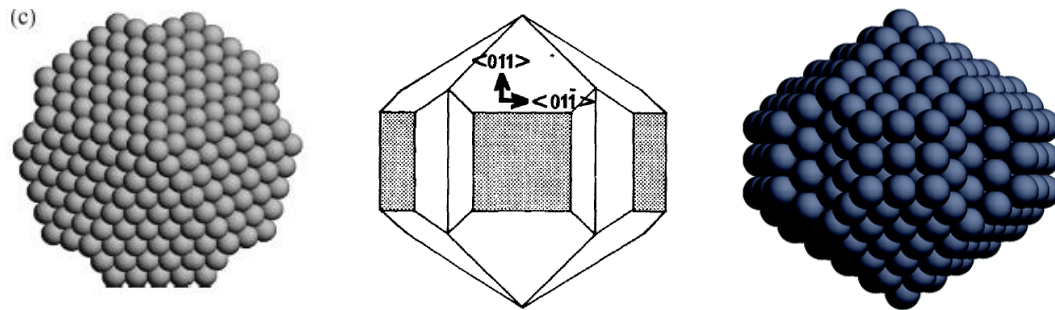
S. Tehuacanero et al., Acta metall. mater. **40**, 1663 (1992)

Decahedral symmetry, but with (100) facets

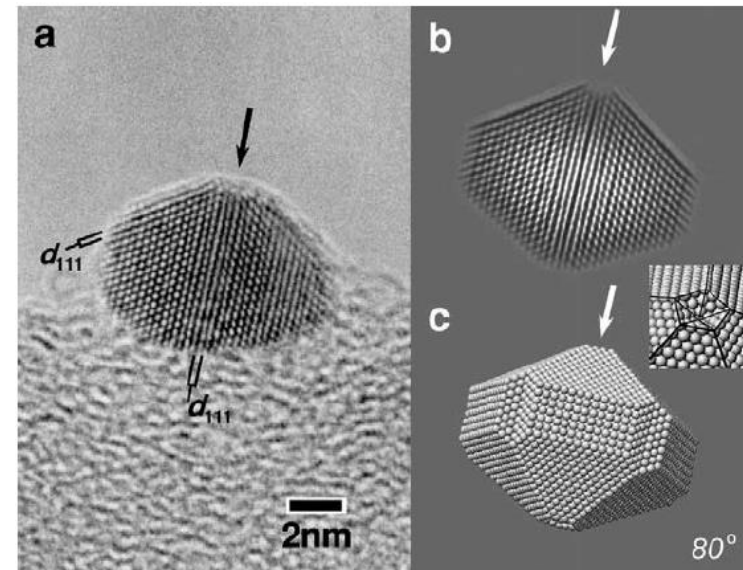
→ Less flattened shape

Additional faceting to reduce the energy

→ Marks decahedron



L. D. Marks, Phil. Mag. A **49**, 81 (1984)



K. Koga et al., Surf. Sci. **529**, 23 (2003)

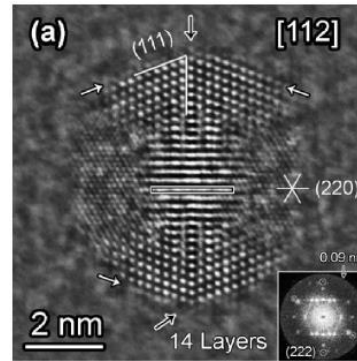
From a fcc crystal to a 5-fold symmetry structure

→ **Specificity of nano-sizes**

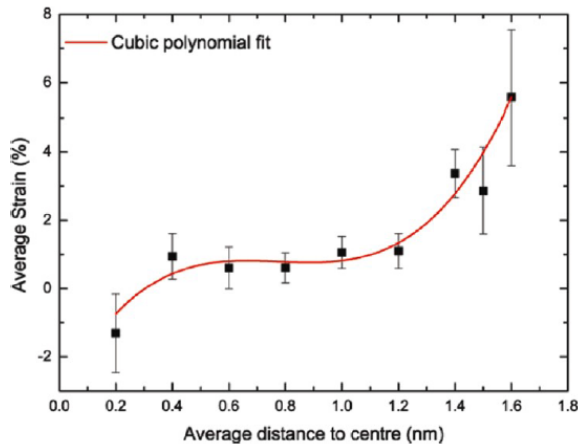
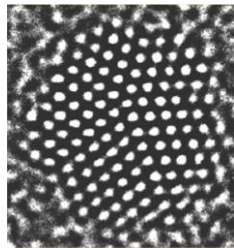
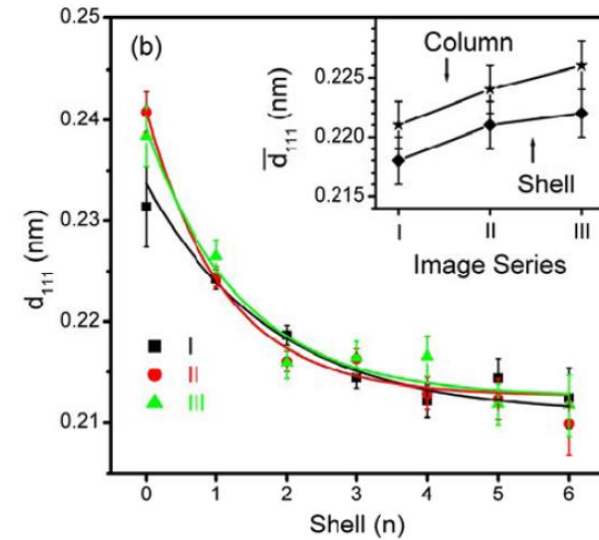
(5-fold symmetry is incompatible with translation symmetry)

R. M. Wang et al., Phys. Rev. Lett. **100**, 017205 (2008)

Strain determination, from HRTEM images



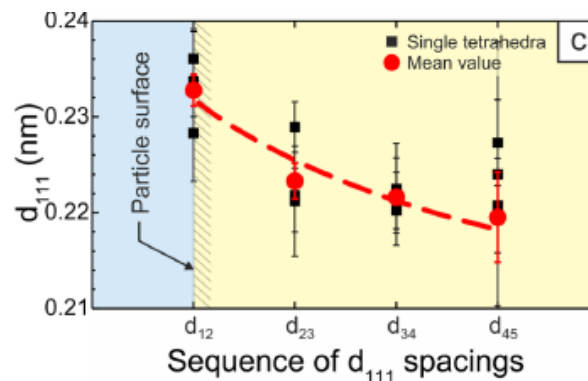
FePt cluster (Ih)



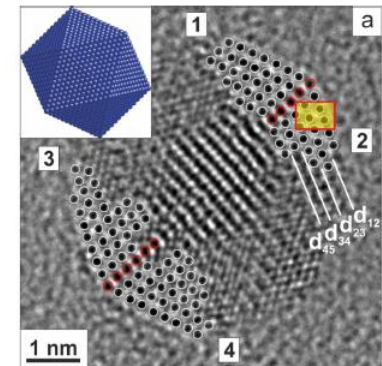
Au cluster (Dh)

M. J. Walsh et al., Nano Lett. **12**, 2027 (2012)

This strain can have important repercussion on the properties...



FePt cluster (Ih)



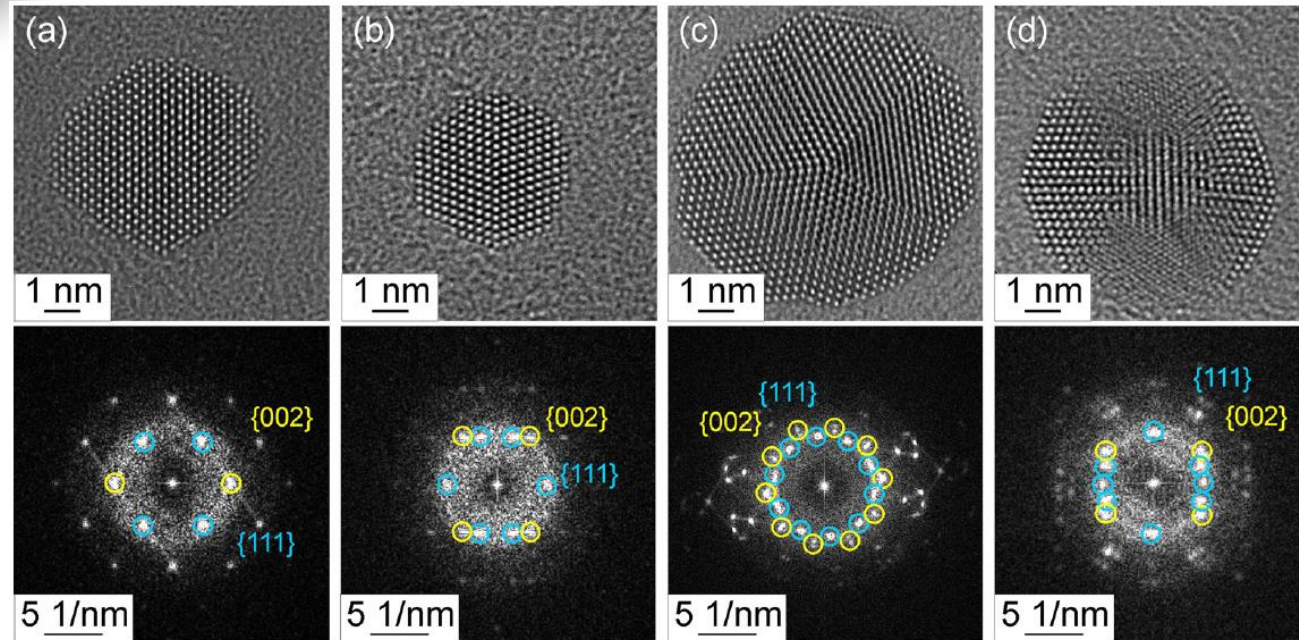
D. Pohl et al., Nano Lett. **14**, 1776 (2014)

Various geometries can be observed for small particles

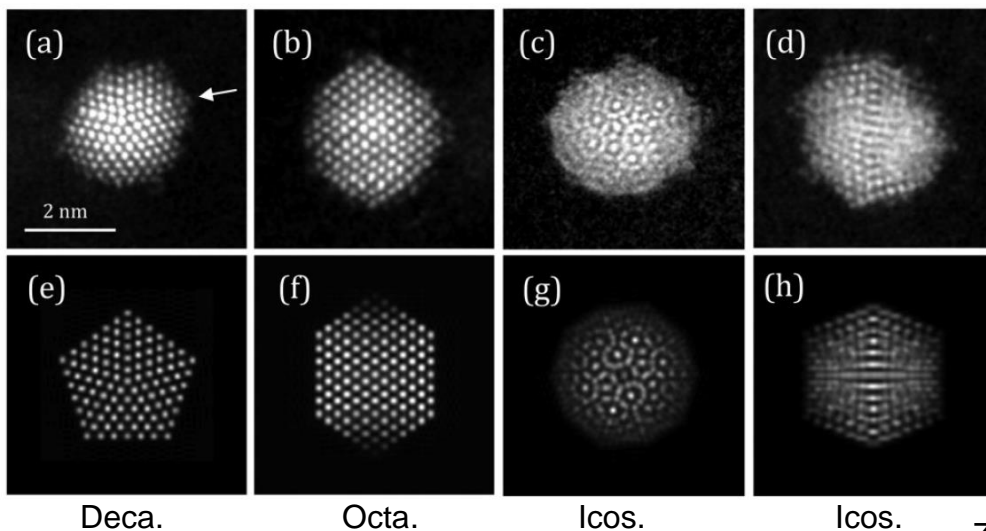
Coexistence of structures with different symmetries

Au clusters

D. Pohl et al., Appl. Phys. Lett. **101**, 263105 (2012)



Au clusters

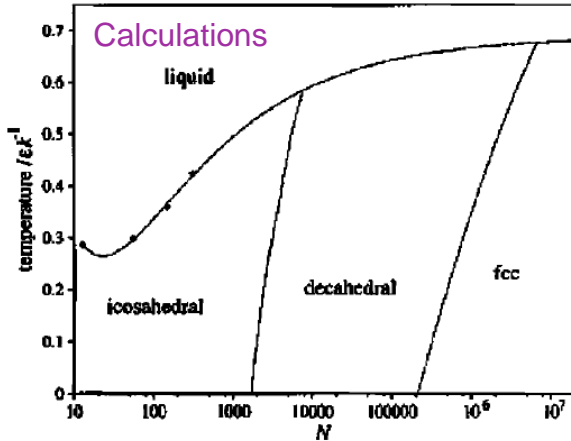


The most favorable structure depends on the size

➔ Compromise between surface and strain energy

Ih: low surface energy, large strain
Oh: no strain but larger surface energy
Dh: intermediate case

F. Baletto et al., Rev. Mod. Phys. **77**, 371 (2005)



Transition with size:
From icosahedra to truncated octahedra (fcc crystals)

K. Koga et al., Surf. Sci. **529**, 23 (2003)

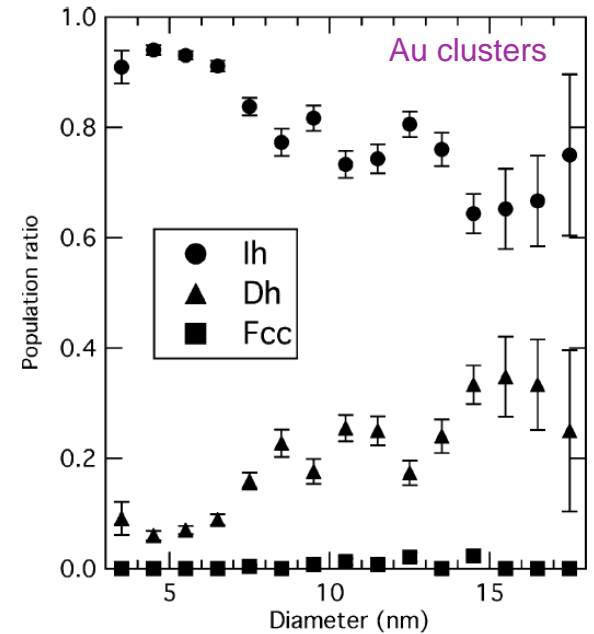
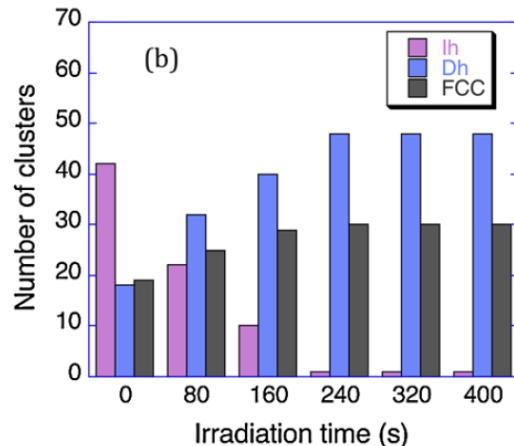


FIG. 20. Structural phase diagram in the N, T plane for Lennard-Jones clusters in the harmonic superposition approximation. From Doye and Calvo, 2002.

Au clusters



Coexistence of different structures and evolution under electron beam or with the environment...

Z. W. Wang et al., Phys. Rev. Lett. **108**, 245502 (2012)

D. Pohl et al., Appl. Phys. Lett. **101**, 263105 (2012)

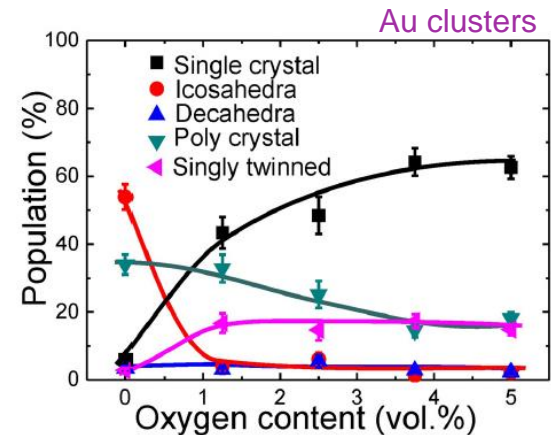
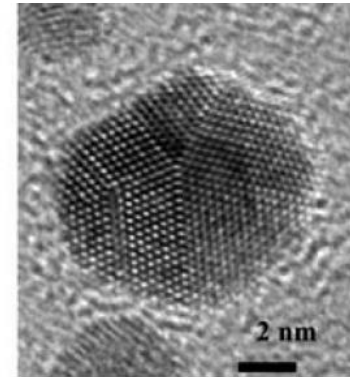
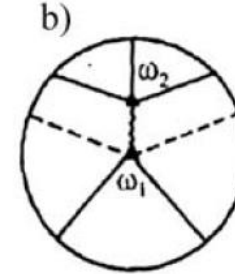
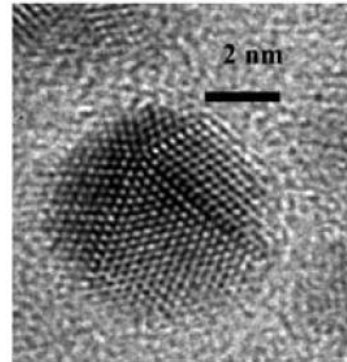
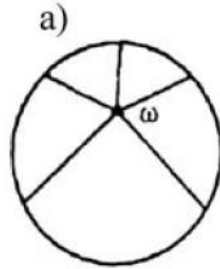


FIG. 3. Au nanoparticle morphology distribution as a function of the oxygen content in the sputtering gas. The solid lines are guide to the eyes.

Decahedral particles incompatible with a crystalline order

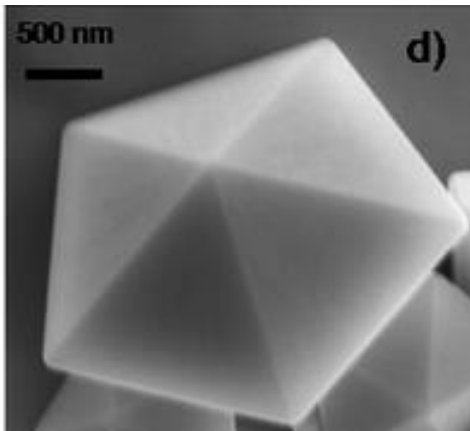


A. Mayoral et al., *Nanoscale* 2, 335 (2010)

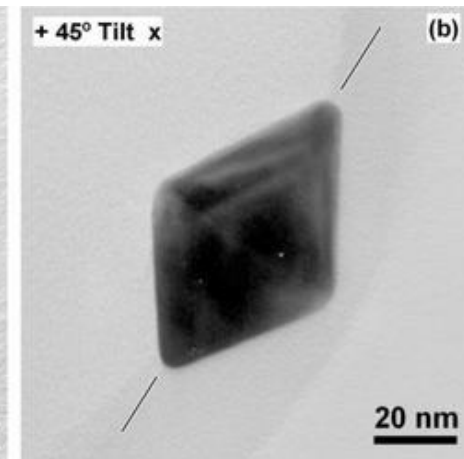
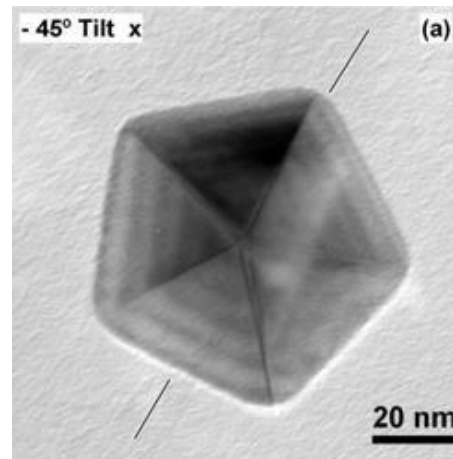
Mechanisms of stress relief

➡ Enable 5-fold symmetry at larger particle sizes

Also, importance of kinetics of growth...



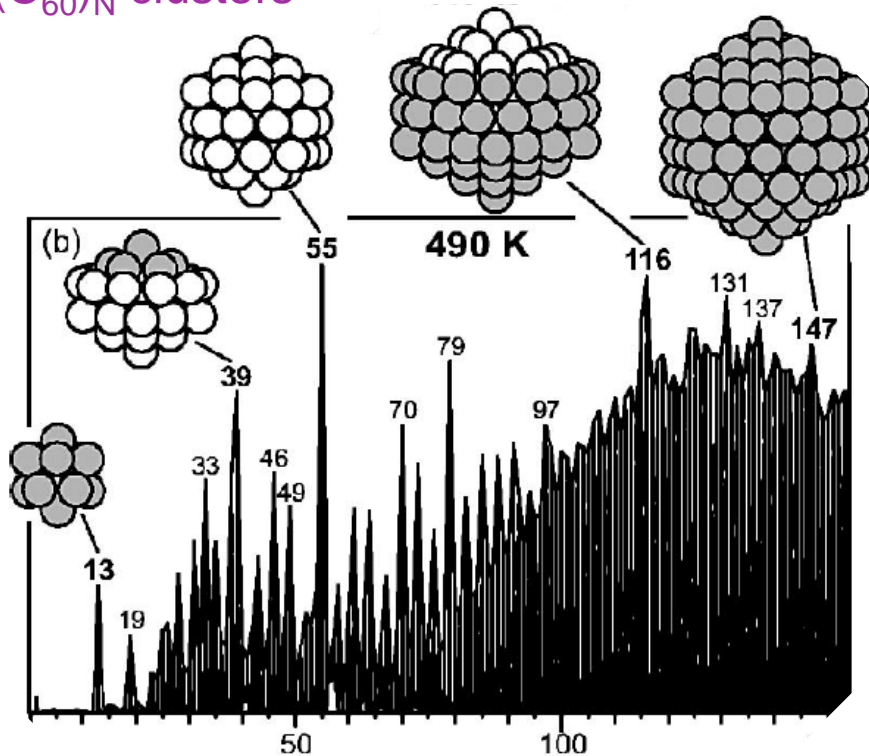
A. Mayoral et al., *Nanoscale* 2, 335 (2010)



Higher relative stability for structures with complete facets

➔ Visible in mass abundance spectra: “Magic numbers”

$(C_{60})_N$ clusters



The magic numbers sequence gives indications about the symmetry (decahedra, icosahedra, truncated-octahedral)

Ex. with $(C_{60})_N$ clusters, where $N = 13, 55, 147$ correspond to perfect icosahedra

This is only valid for non-directional bonding (VdW, metallic)

R. Ferrando et al., Chem. Rev. **108**, 845 (2008)

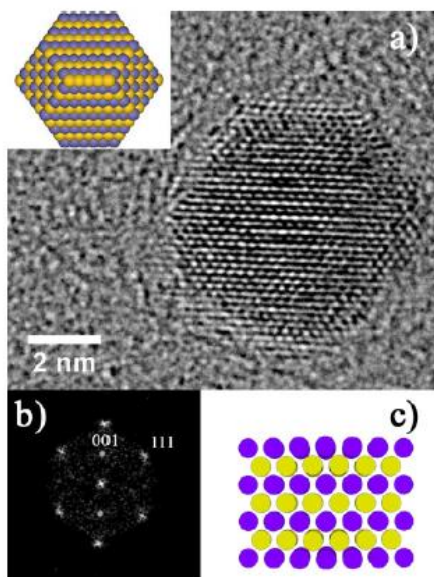
Two types of atoms: additional degree of freedom

→ Tailoring of the properties

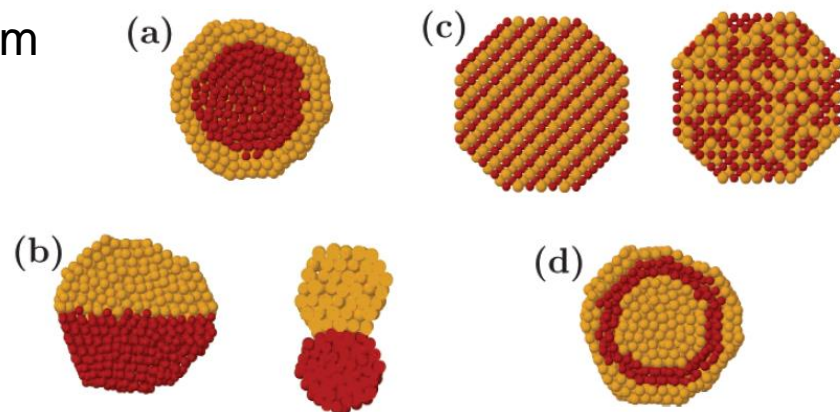
Symmetry of the lattice
+ chemical occupation

Specific features for nanoalloys
(different structures)

Ex.: Detection of $L1_0$ chemical order in FeAu alloy nanoparticles, while Fe and Au are immiscible in the bulk...



A. Hillion, PhD thesis



A variety of chemical arrangements are possible, with exotic chemical orders

D. Bochicchio et al., Phys. Chem. Chem. Phys. **16**, 26478 (2014)

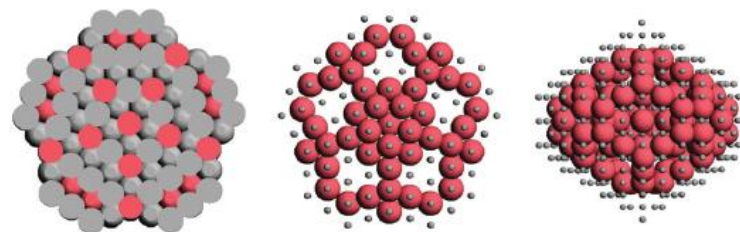
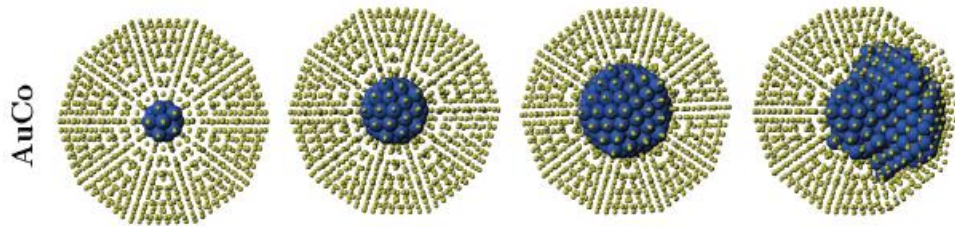


Fig. 3 Decahedral structure with highly symmetric chemical ordering found for composition $Ag_{341}Pd_{93}$. Symbols as in Fig. 2.

The most favorable structure results from a compromise, and depends on chemical mixing energies, surface energies, strain energy...

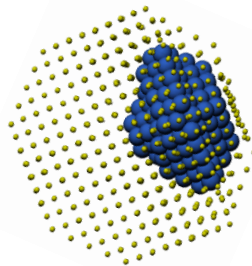
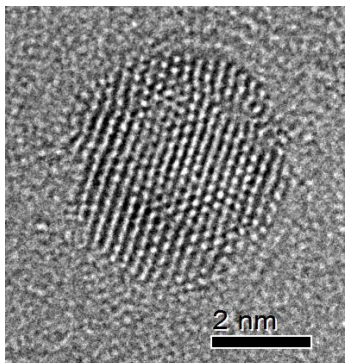
Kinetics and environment also play a major role.



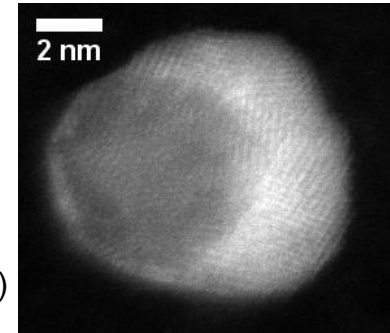
D. Bochicchio et al., Phys. Rev. B **87**, 165435 (2013)

Ex.: CoAu nanoparticles, with an off-centered Co core and Au shell

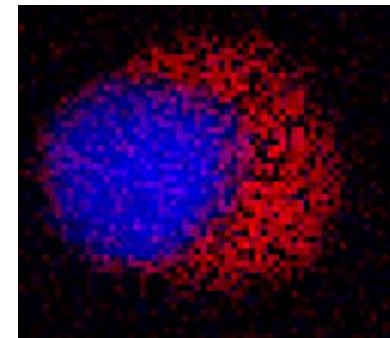
→ Symmetry can be broken



Observations in agreement with theoretical predictions

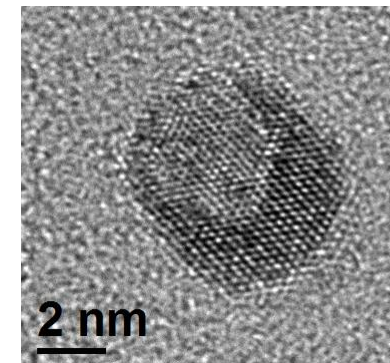


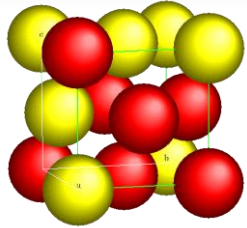
HAADF
(Z contrast)



Co
Au

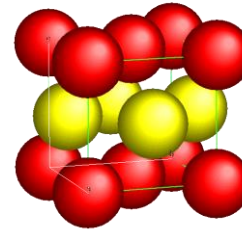
EELS map





A1 phase

- Chemically disordered
- fcc cell



L1₀ phase

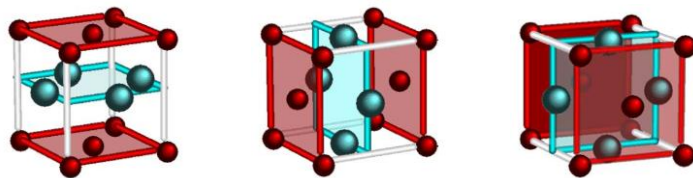
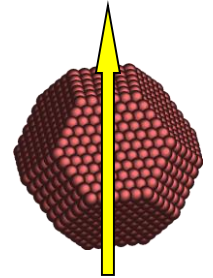
- Chemically ordered
- tetragonal cell ($c/a < 1$)

The L1₀ phase has a huge magnetic anisotropy constant ($K_{\text{eff}} \sim 5 \text{ MJ/m}^3$)

→ Interesting for magnetic storage applications

The L1₀ phase is stable at room temperature, but A1 is metastable

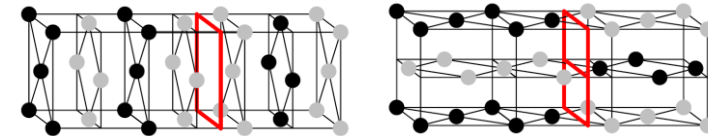
→ Chemical ordering obtained by annealing



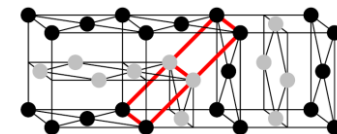
From cubic to tetragonal: 3 equivalent directions for the chemical order (variants)

Antiphase, c-phase or twin boundaries between different L1₀ domains

→ Observed in films and large particles
Are they met in small particles?



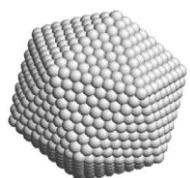
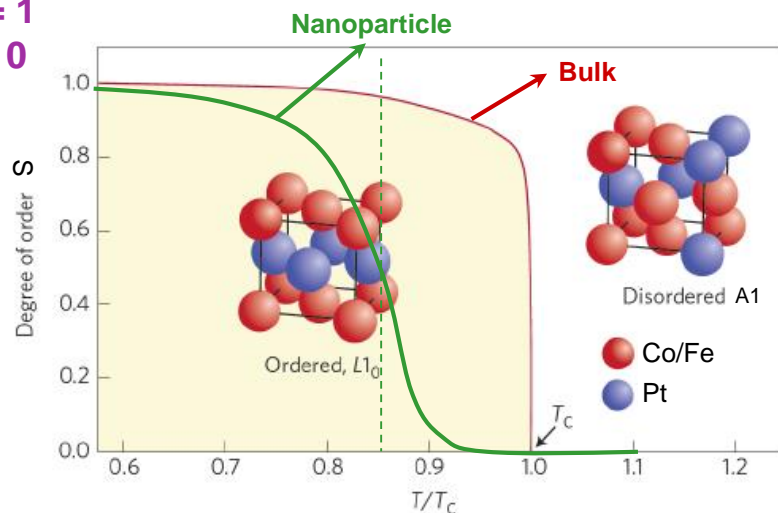
Examples of planar defects in a L1₀ crystal



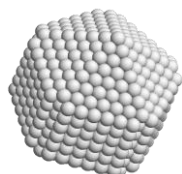
$L1_0$: $S = 1$
A1: $S = 0$

- Chemical order phase transition shifted and smoothed

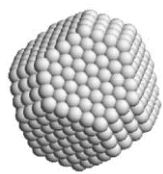
➡ Threshold size for $L1_0$ stability?



Icosahedron



Decahedron



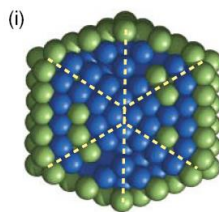
Truncated-octahedron

- As a function of particle size, competition between different geometries

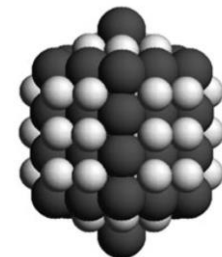
➡ Multiply-twinned particles

- Various theoretical predictions

➡ $L1_0$ ordered decahedron should be favorable

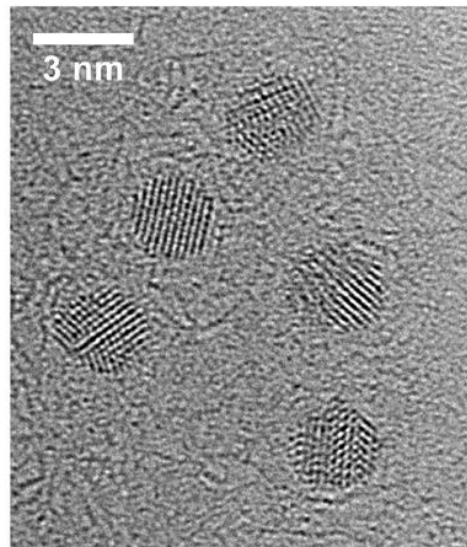
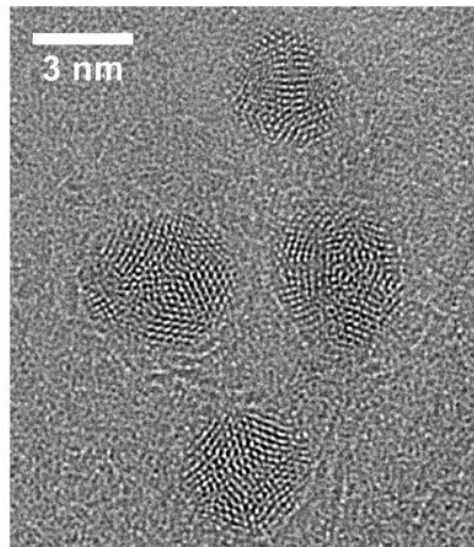
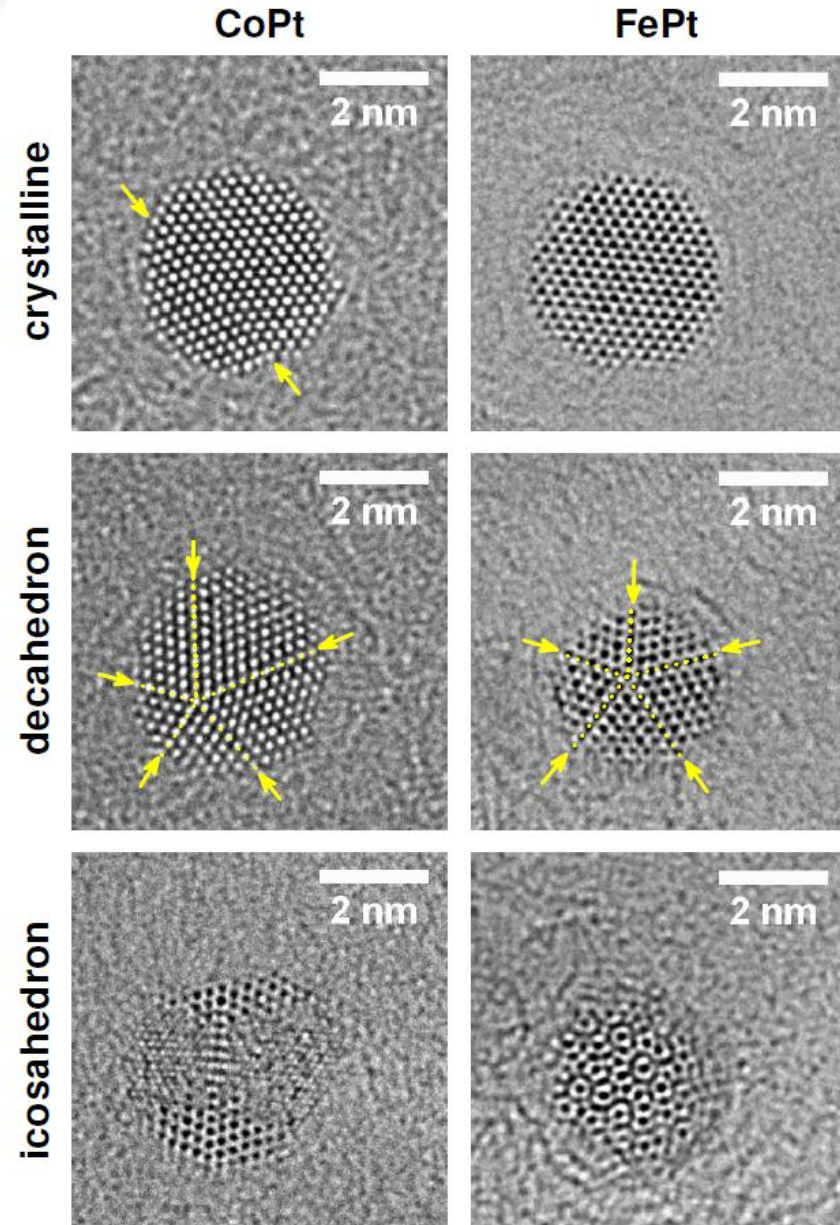


Core-shell icosahedron with depleted subsurface shell



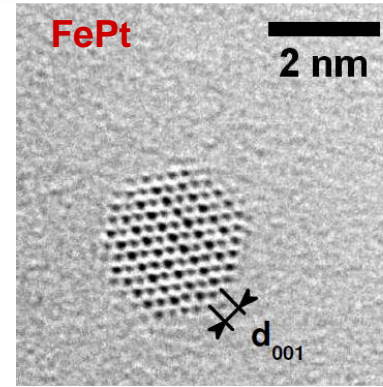
G. Rossi *et al.*
Faraday Discuss.
138, 193 (2008)

- No chemical order before annealing (disordered alloy, A1 phase)
- Coexistence of different particle structures
- Consistent with theoretical calculations
 → Small energy differences (twins)
- Structure identification is not trivial
 → No quantitative population analysis

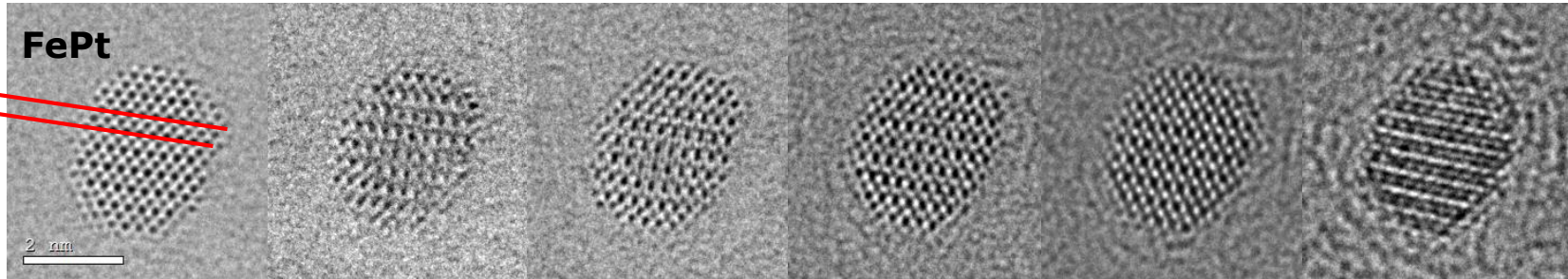
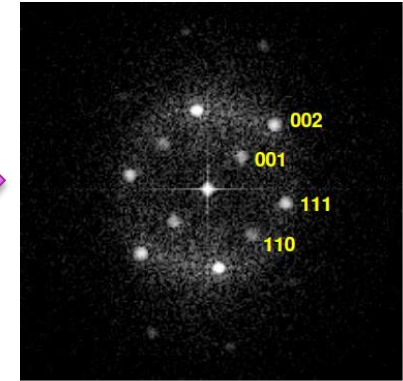


✓ L1₀ contrast ([001] peak) after annealing, even for the smallest particles

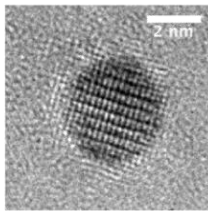
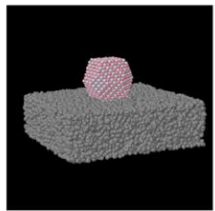
✓ Particles with a single L1₀ domain



→
FFT

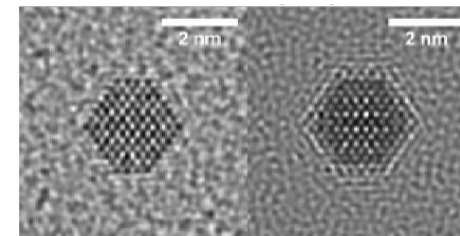


Through-focus HRTEM images of a chemically ordered fcc FePt particle.



Quantification of the chemical order parameter for a single nanoparticle ($S \sim 1$)

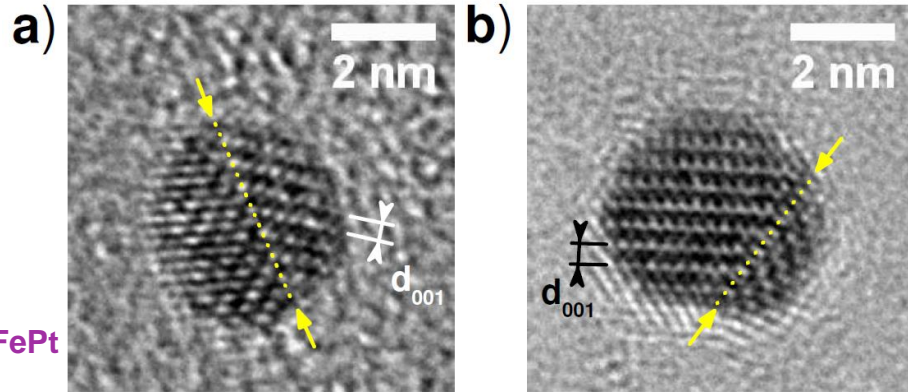
N. Blanc et al., Phys. Rev. B 83, 092403 (2011)



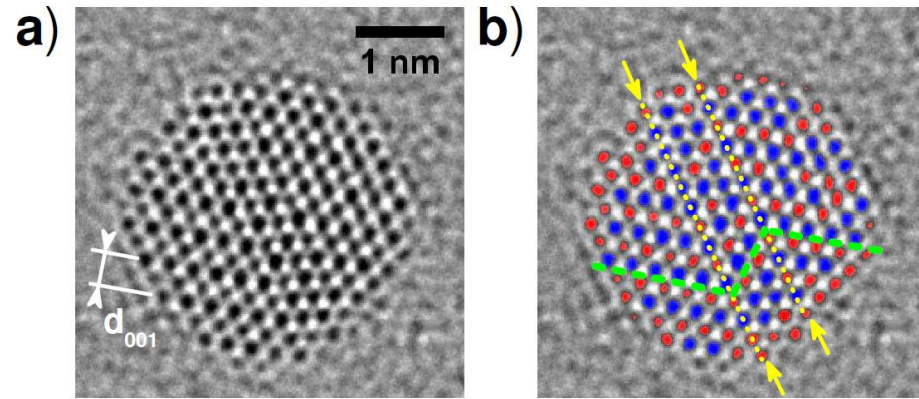
But, chemical order is **not necessarily visible** (particle orientation, defocus)



- ✓ Challenging observations!
- ✓ Not a statistical method



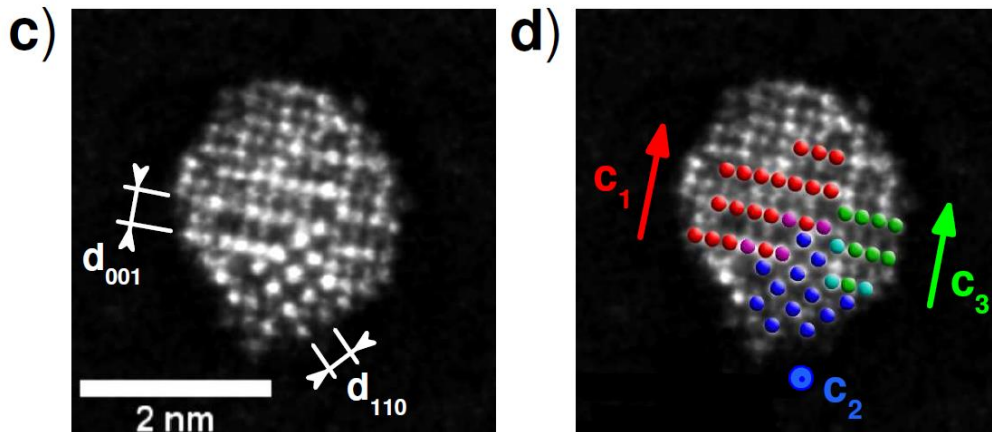
- Twinned particles with two $L1_0$ domains



- The chemical order is preserved across (111) twins

STEM HAADF image of a CoPt particle

HRTEM image of a CoPt particle (atoms are colored according to their size)



- Coexistence of several $L1_0$ variants (with antiphase boundaries)

↳ In a single crystal particle of 2 nm diameter!

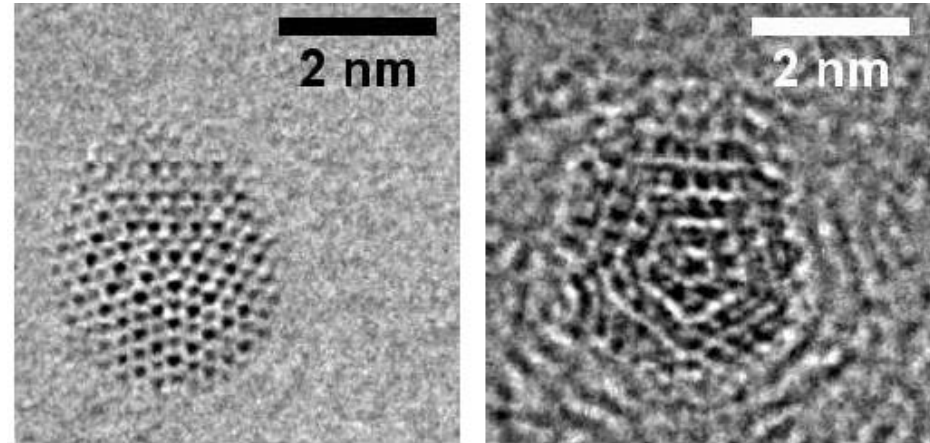
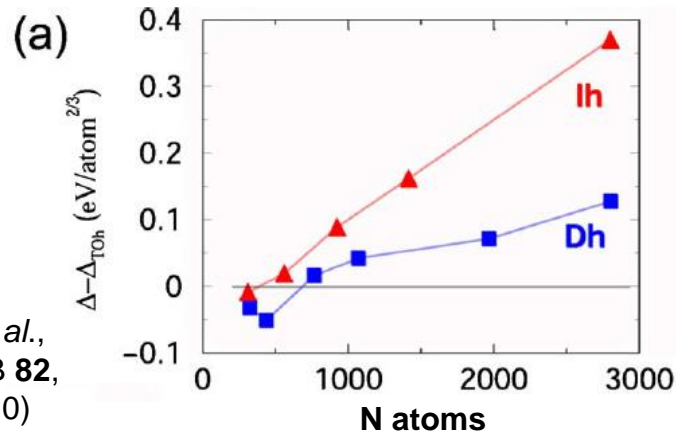
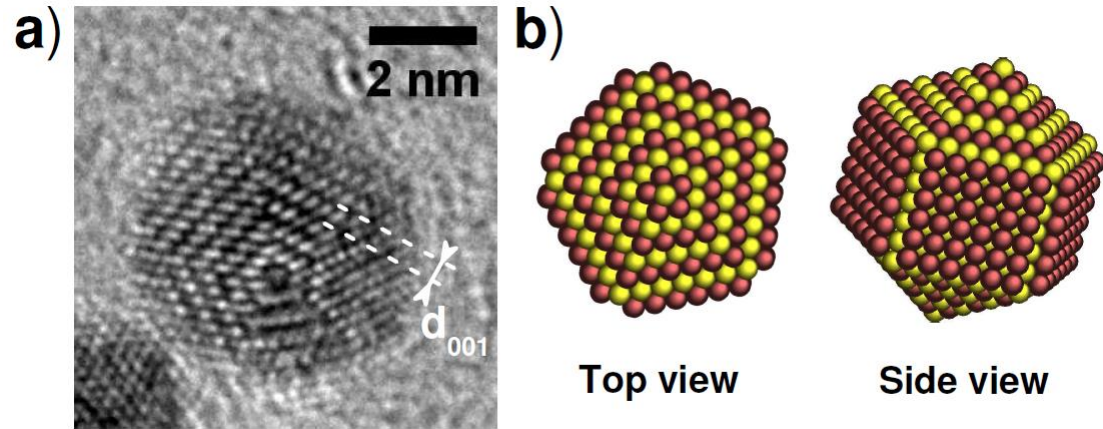
- ✓ Multiply-twinned particles
- ✓ Fivefold symmetry



Chemically ordered CoPt and FePt decahedral particles

Five $L1_0$ domains with different c-axis orientations

- ➔ Will dramatically lower the magnetic anisotropy



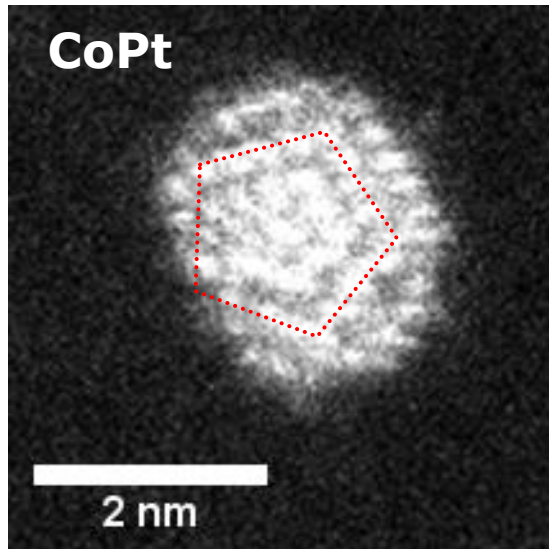
Cs-corrected HRTEM image of a FePt particle, for different defocus values

Agreement with the theoretical predictions

Chemical identification of the atomic columns

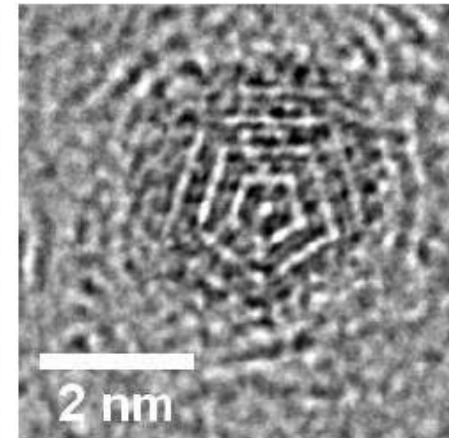
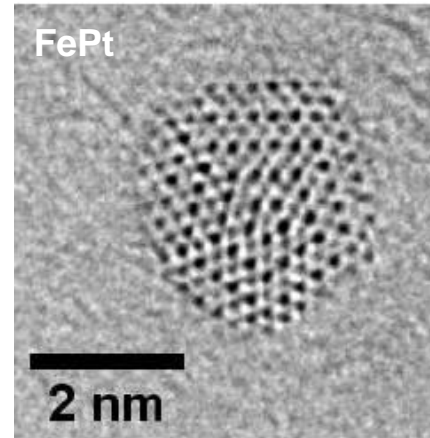
No preferential occupation of one element for the facets or the central atoms

→ No indication of segregation

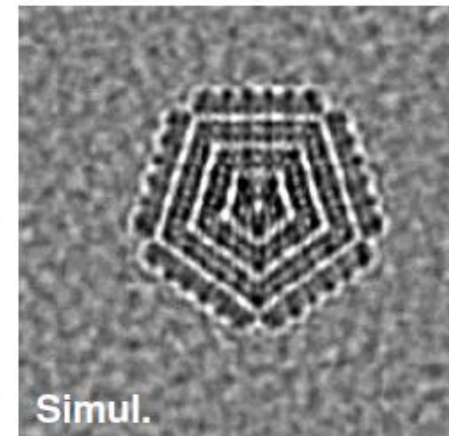
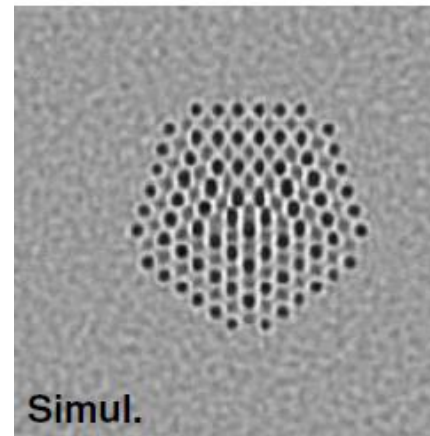


STEM-HAADF image

Experimental
HRTEM image

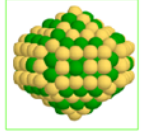


Multislice HRTEM
simulations (JEMS)

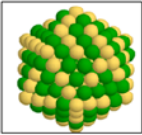


Chemical order in icosahedral particles?

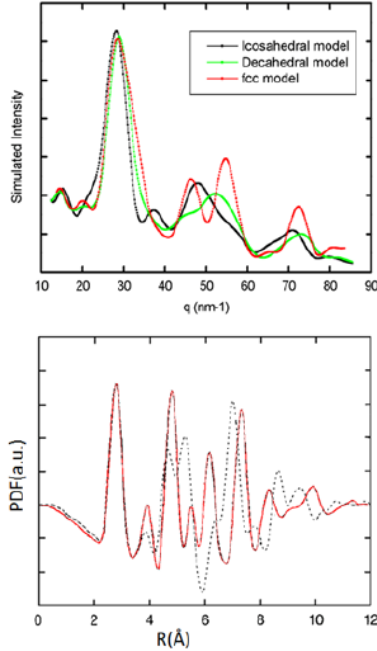
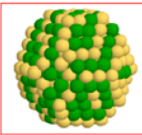
Dh



Ih



TOh



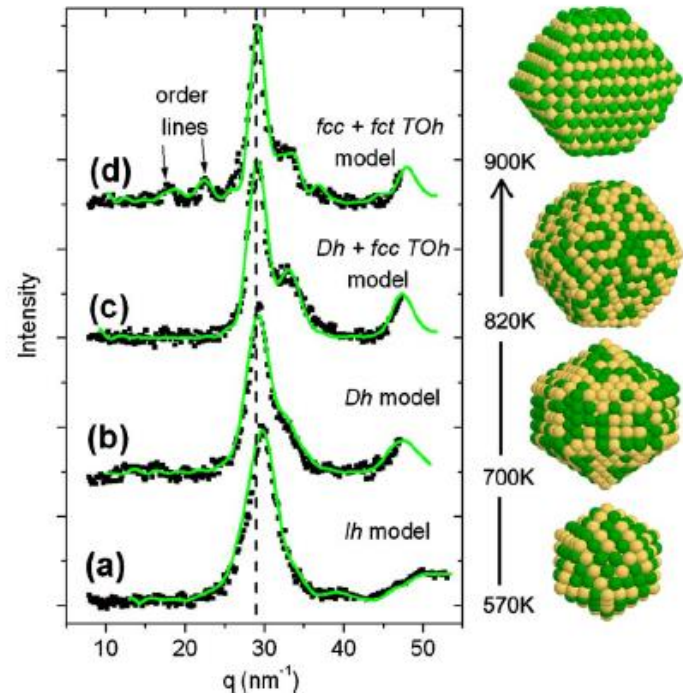
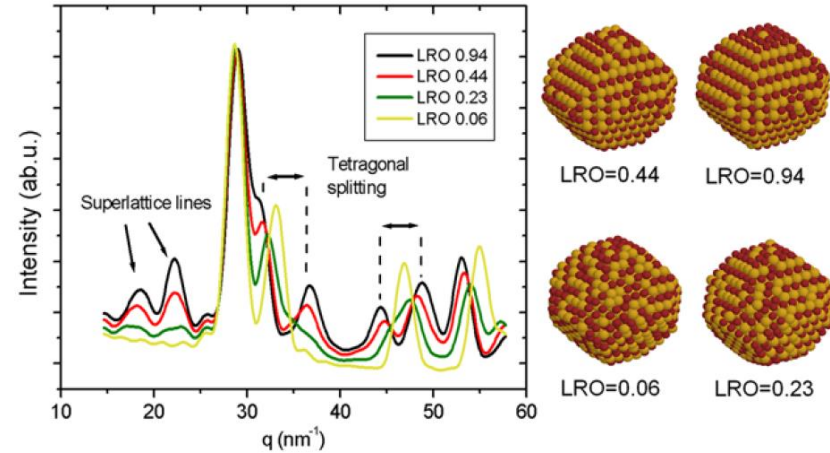
P. Andreazza *et al.*, unpublished

X-ray diffraction spectra are also sensitive to the **particle symmetry and chemical order**

Modelling is necessary

➔ Difficult because coexistence of different geometries and particle sizes (measurement on particle assemblies)

In fact, chemical ordering is possible without changing the particle Dh symmetry



EXAFS measurements:
probe the local environment
of one type of atoms

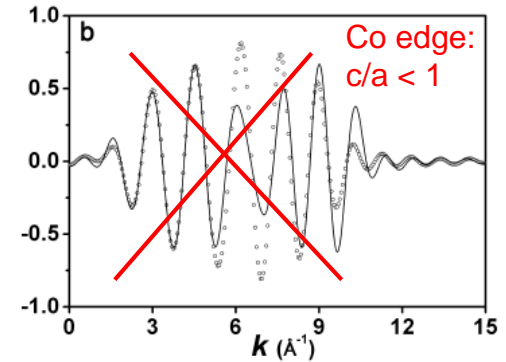
- Drastic change upon annealing
- Evolution of $N_{\text{Co}}/N_{\text{Pt}}$



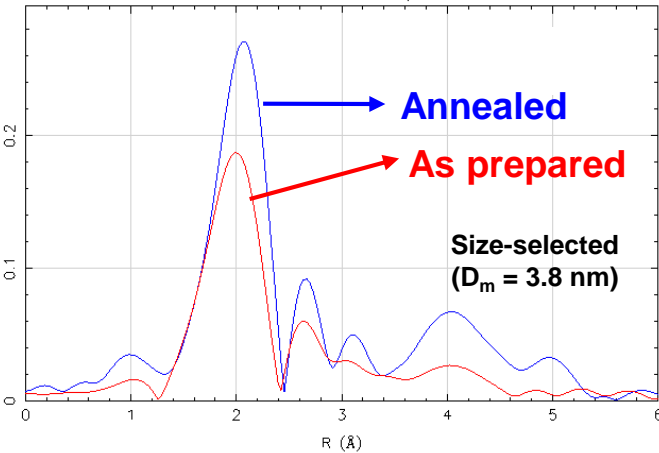
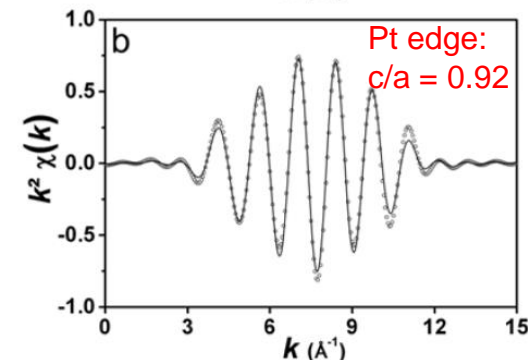
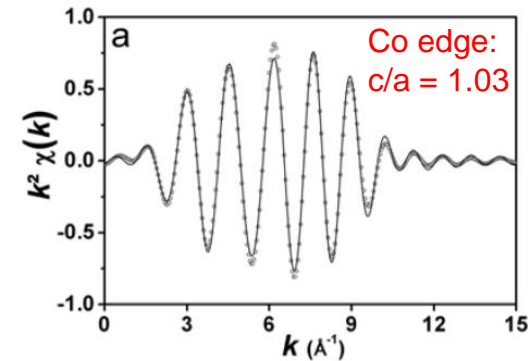
A1 \rightarrow L1₀ transition

Apparent c/a ratio

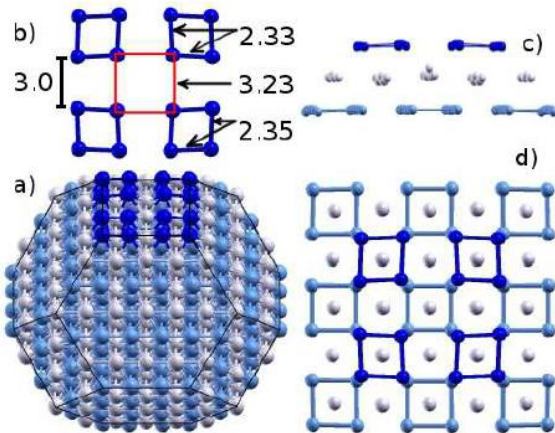
➡ Different around Co and Pt atoms:
 $d_{\text{Pt-Pt}} \neq d_{\text{Co-Co}}$



Tetragonalization
different from the bulk



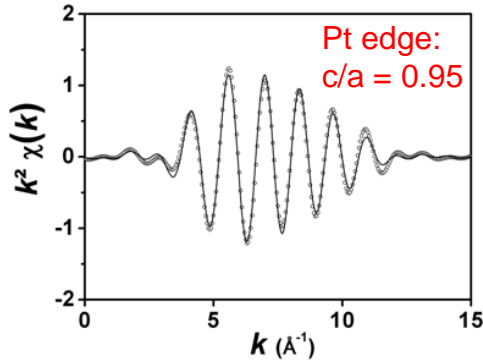
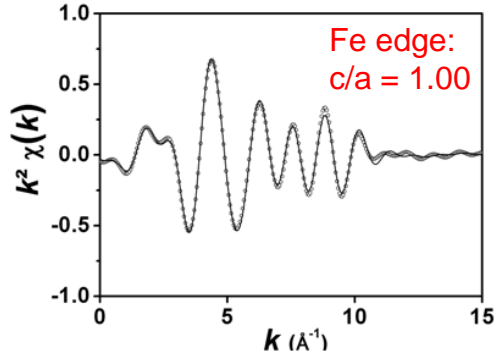
N. Blanc *et al.*, Phys. Rev. B **87**, 155412 (2013)
V. Dupuis *et al.*, Eur. Phys. J. B **86**, 1 (2013)



DFT calculations: “L1₀ like” structure

➡ Strong relaxation of the Co-Co distances

EXAFS for FePt particles



Dispersion of nearest-neighbor distances, with the position, and the chemical nature



The particles are not “crystals”

Relaxation
($d_{\text{Fe-Fe}} \neq d_{\text{Pt-Pt}}$)

Indirect indication of Pt segregation for icosahedral FePt

Imperfect symmetry:

relaxation, non-regular shapes, defects...

Variability of the nano-objects in an assembly, with coexistence of different structures...

➔ Dispersion of the properties (for instance, the magnetic anisotropy)

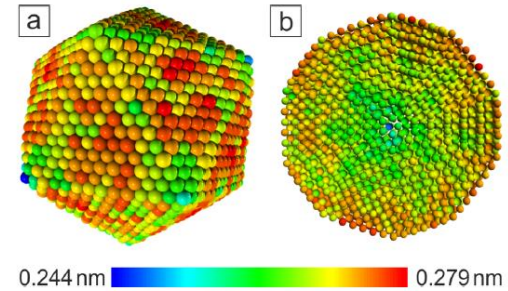
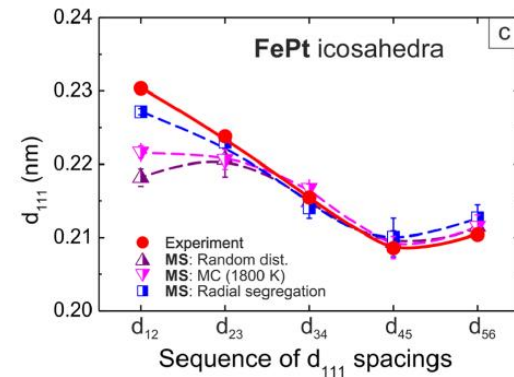
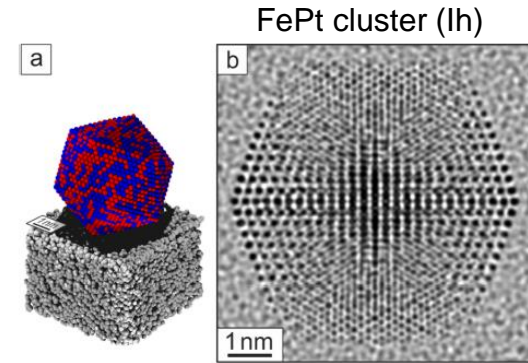


Figure 7. Color-coded image of the variation of the next nearest neighbor distances across a disordered FePt icosahedron of 8217 atoms after structural relaxation through MS simulations. (a) Perspective image of the particle. (b) Cross section through the particle center as seen along one of its five-fold symmetry axes.



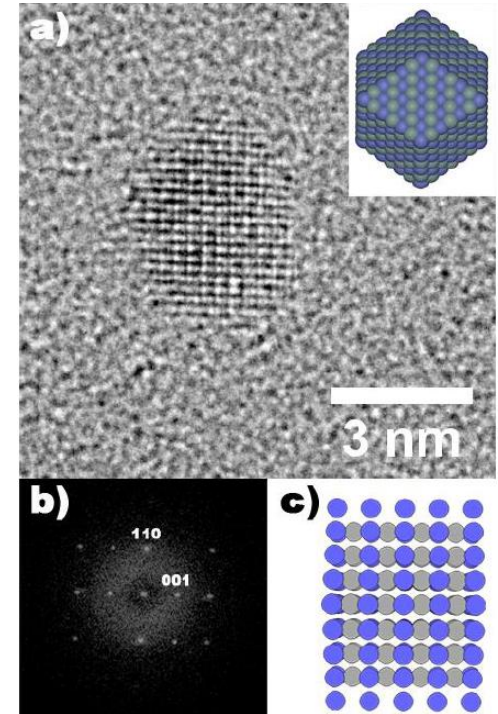
The magnetic order can be influenced by the size reduction

→ Example: FeRh nanoparticles

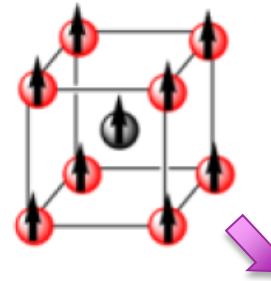
Chemically ordered particles (B2 phase), after annealing

The particles are ferromagnetic, down to 2 K, instead of anti-ferromagnetic

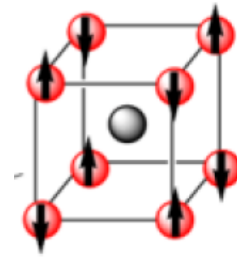
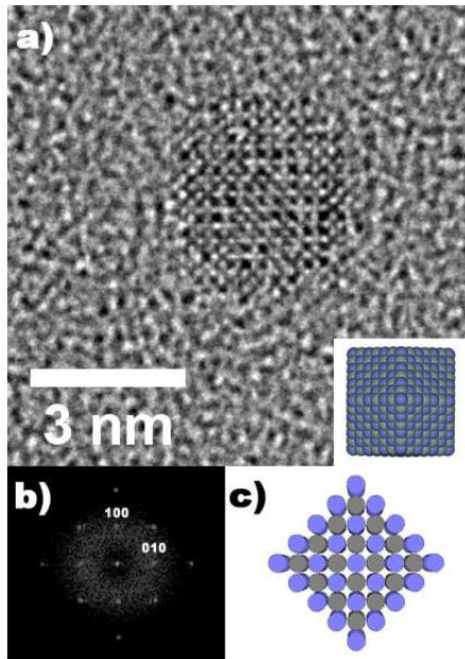
Chemically ordered FeRh particle



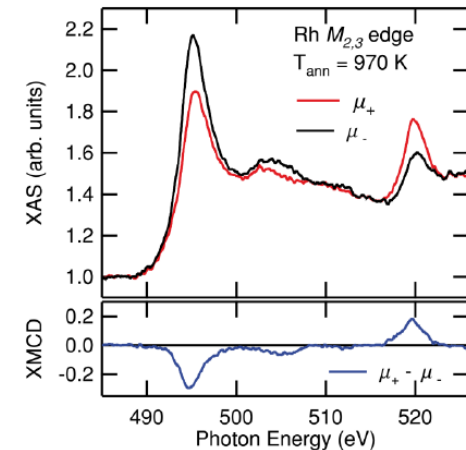
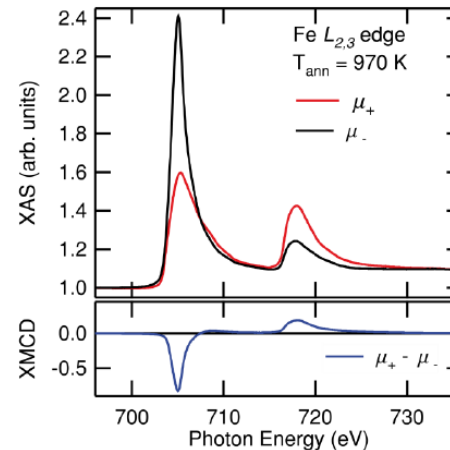
FM order



Chemically ordered FeRh particle



AF order



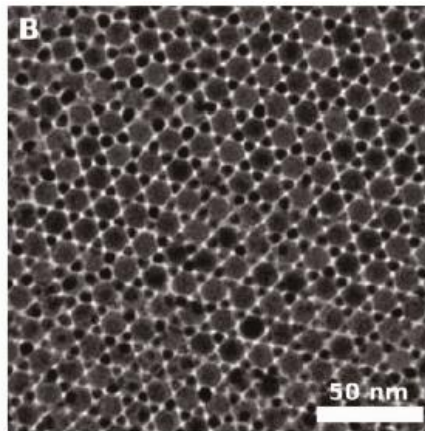
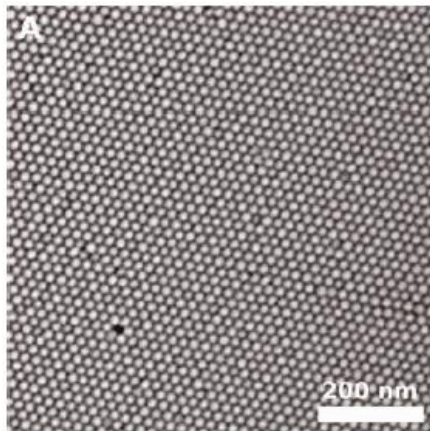
Bottom up approach → Self-organization

Motivations:

- ✓ Optimal packing (inter-particle coupling, resonance)
- ✓ Same environment for all particles
- ✓ Particle localization (for ex. for information storage)
- ✓ Mechanisms of self-organization (particle-particle and particle-substrate interactions)

Mostly from colloidal particles

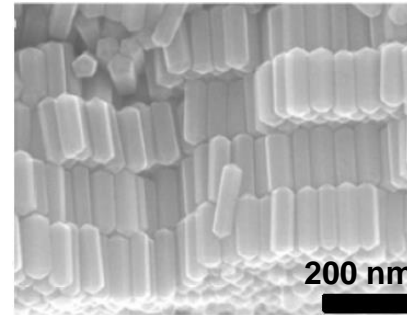
→ Very nice results (not bare particles), with good order over large ranges



S. Pichler et al., ACS Nano **5**, 1703 (2011)

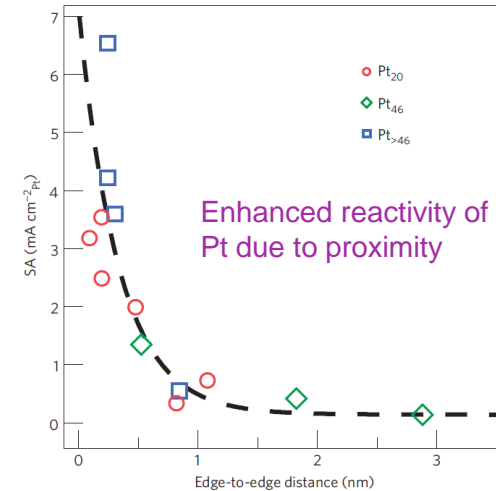
Compact structures

→ Particle agglomeration due to VdW interactions (+ electrostatic, chemical...)



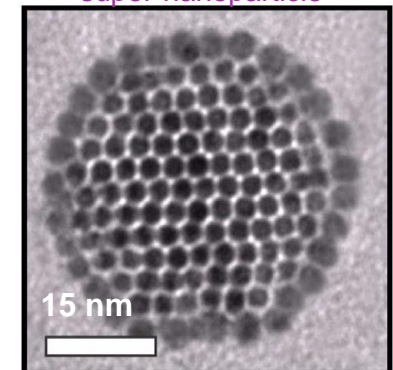
B. Pietrobon et al., ACS Nano **3**, 21 (2009)

Different stacking (hexagonal, cubic), mixed supra-crystals, exotic structures...



M. Nesselberger et al., Nat. Mater. **12**, 919 (2013)

CdSe-CdS Core-shell super-nanoparticle



O. Chen et al., Nat. Commun. **5**, 5093 (2014)

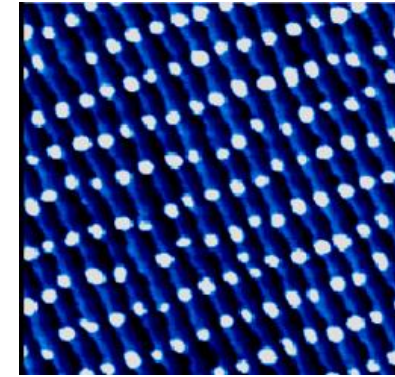
Atomic deposition on template surfaces (UHV conditions)

- • Good organization for pure clusters
- Importance of the atom and particle/surface interaction

Preformed cluster deposition, an alternative approach



Not the same morphology as with atomic deposition

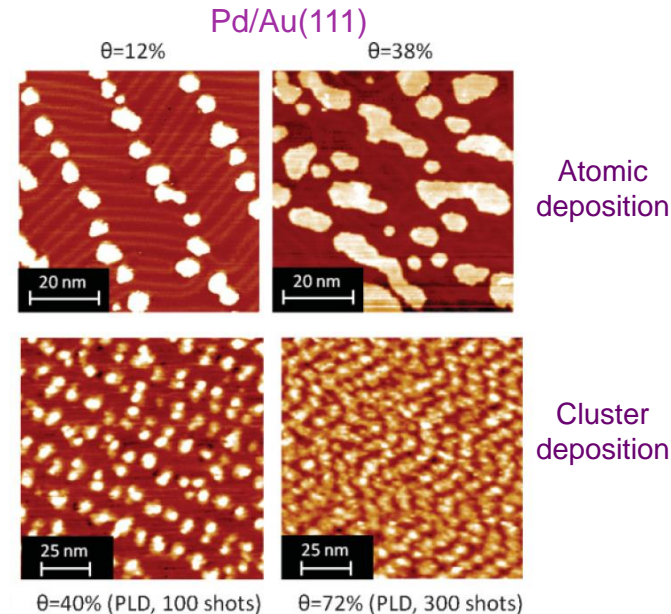
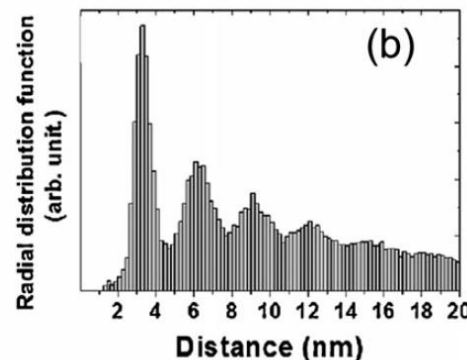
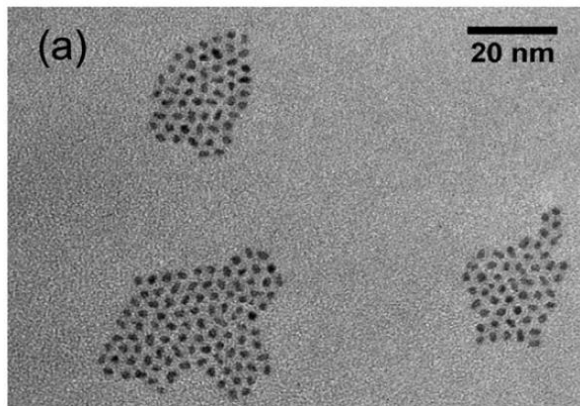


Co nanoparticles on Au(788)
V. Repain *et al.*
Euro. Phys. Lett. **58**, 730 (2002)

Ex.: size-selected FePt clusters deposited on graphite

- Local hexagonal symmetry (correlation length)

Key ingredients = same size, diffusion, attraction with short-range repulsion

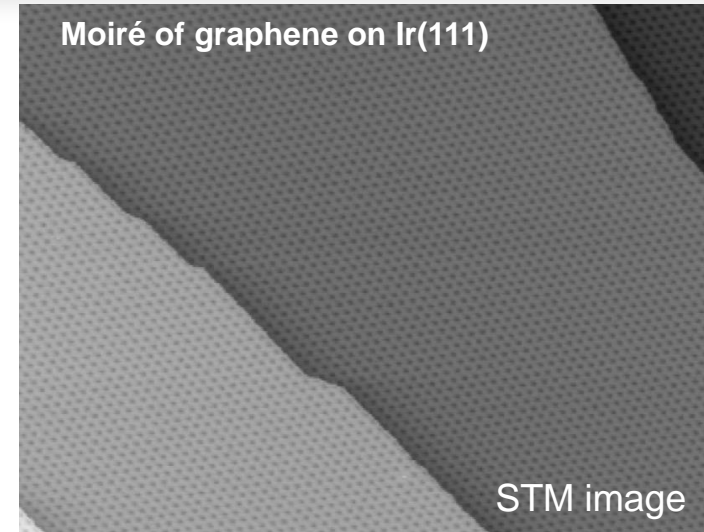
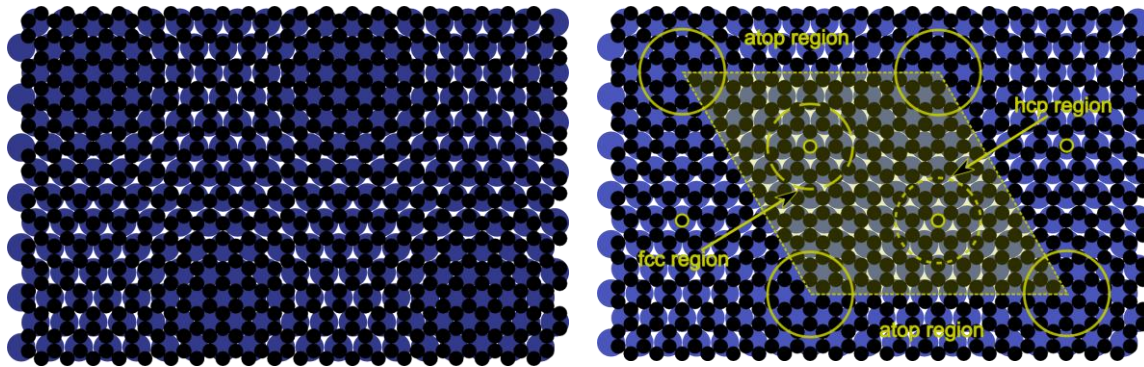


Casari *et al.*, Phys. Rev. B **84**, 155441 (2011)

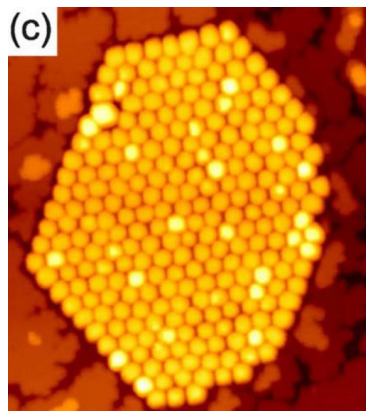
Idea: use the **moiré lattice** of graphene epitaxially grown on Ir(111) to obtain **arrays of particles**

Lattice mismatch produces a moiré

→ specific sites with a 2.5 nm periodicity



J. Coraux *et al.*, Nano Letters **8**, 565 (2008).



✓ Organized growth of dots with atomic deposition

✓ Self-organization using deposition of preformed clusters?

→ Deposition of clusters ($D \sim 1.5$ nm)

N'Diaye *et al.*, New J. Phys. **11**, 103045 (2009); Phys. Rev. Lett. **97**, 215501 (2006).

Collaboration with G. Renaud

Information about the shape and distribution of particles

Grazing Incidence Small Angle Scattering (Decoupling approximation)

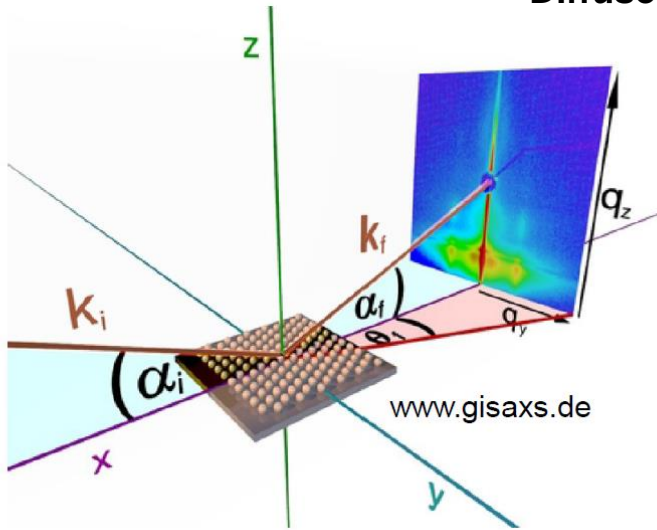
$$I(\mathbf{q}) = |\langle F(\mathbf{q}) \rangle|^2 \times S(\mathbf{q}) + \underbrace{\langle |F(\mathbf{q})|^2 \rangle - |\langle F(\mathbf{q}) \rangle|^2}_{\text{Diffuse term}}$$

Diffuse term

$I(\mathbf{q})$: Scattered Intensity

$F(\mathbf{q})$: Form factor

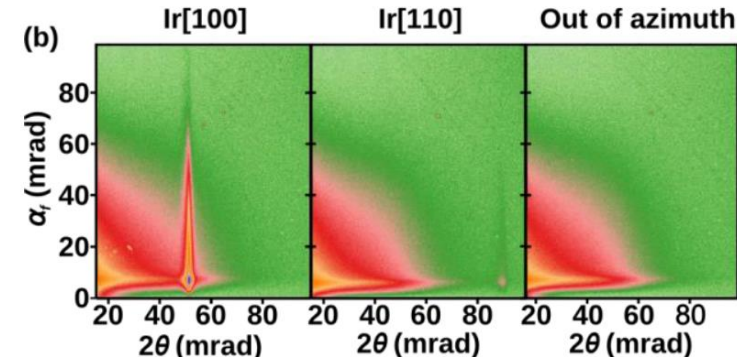
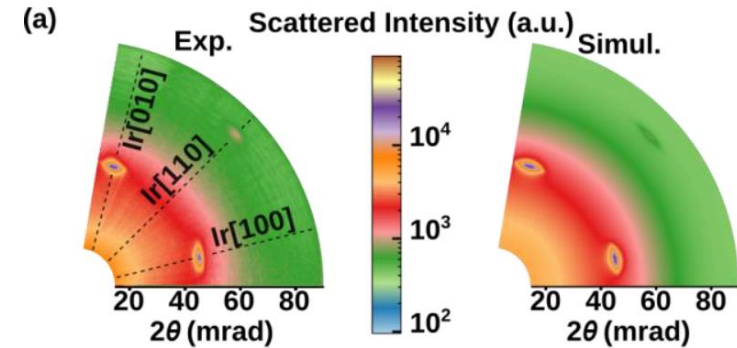
$S(\mathbf{q})$: Interference function



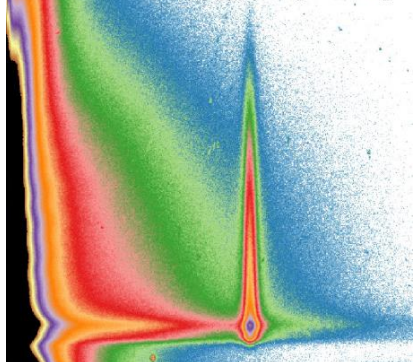
Hexagonal lattice of Pt clusters
(lattice parameter = 2.5 nm)

➔ Pt clusters pinned on a specific moiré site

S. Linas et al., submitted



a-C/FePt/g/Ir(111)



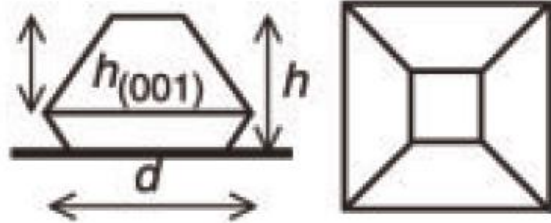
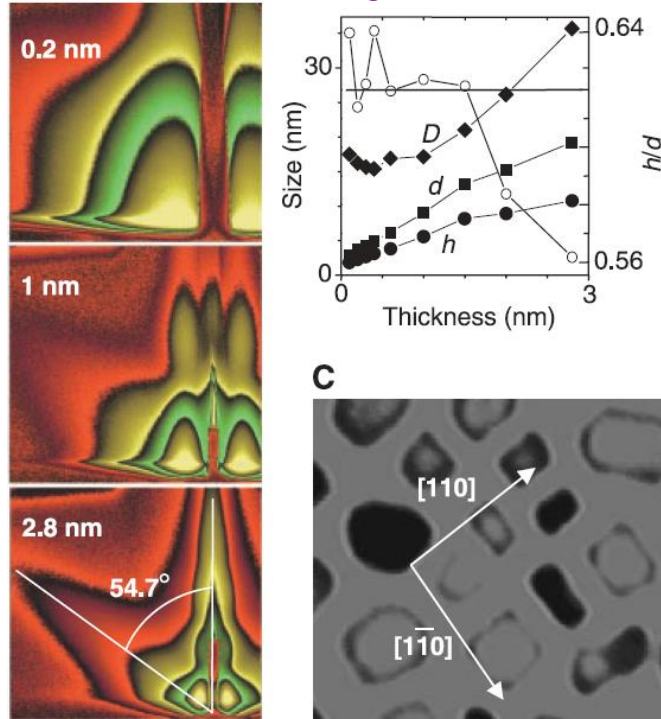
Coherence but imperfect symmetry: some clusters are not on the moiré lattice

Same feature with FePt particles...

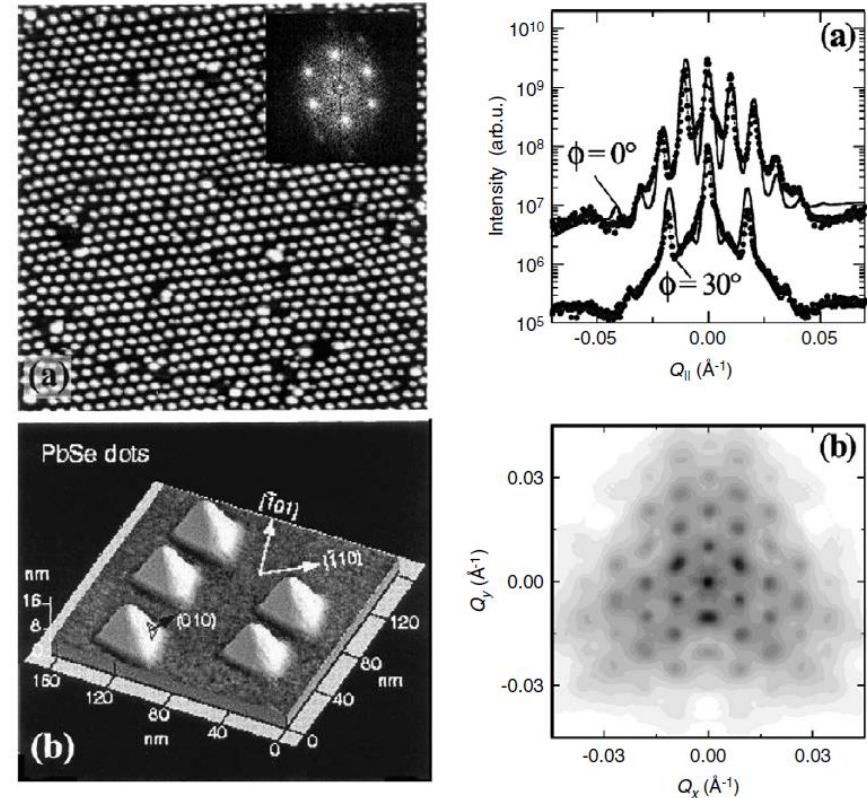
Probe for 2 different levels of symmetry

➔ Size and **shape** of the particles + interference between particles (**organization**)

Pd dots/MgO



PbSe dots/PbEuTe



G. Renaud et al., Surf. Sci. Rep. 64, 255 (2009)

Well suited for nanostructures, complementary to local probe microscopy (STM/AFM)

- ✓ There are **several levels of symmetry** in a nano-system
 - ➔ Crystal phase, shape, magnetic order, organization...
- ✓ Phase diagrams are modified by finite size (symmetries can be different from the bulk)
- ✓ For nanoparticles, non-crystalline structures can be favorable (in particular with a 5-fold symmetry)
- ✓ The symmetry of a nanostructure is often (always?) imperfect (defects, relaxation, variability in an assembly...)
- ✓ Controlling the symmetry at different levels is a challenge
 - ➔ Control of the particles structure, morphology, orientation and location
- ✓ Some techniques are well-suited for the study of symmetry

Groupe « Nanostructures magnétiques » :

L. Bardotti
V. Dupuis
G. Khadra (Thèse)
S. Linas (Post-Doc, now at LMI)
A. Tamion
F. Tournus
J. Tuaille-Combes

N. Blanc (Thèse soutenue en 2009)
A. Hillion (Thèse soutenue en 2012)

Ingénieurs et support technique :

C. Albin
O. Boisson
G. Suteau

Collaborations :

T. Epicier (MATEIS, INSA Lyon)
K. Sato (IMR, Tohoku University, Japon)
T. J. Konno (IMR, Tohoku University, Japon)



G. M. Pastor (Universität Kassel)
L. E. Díaz-Sánchez (Univ. Autónoma del Estado de México)

A. Y. Ramos (Institut Néel, Grenoble)
H. C. N. Tolentino (Institut Néel, Grenoble)
M. De Santis (Institut Néel, Grenoble)
O. Proux (Obs. Sci. de l'Univers, Grenoble)

A. Rogalev (ESRF synchrotron)
F. Wilhelm (ESRF synchrotron)
P. Ohresser (SOLEIL synchrotron)

G. Renaud (CEA Grenoble/ESRF)
F. Jean (Institut Néel, Grenoble)